## Comparison Study of Frequencies and Electronic Properties by Quantum Mechanical Calculation between Cyclacene and Carbon nanotube.

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**Abstract:** Semi empirical quantum mechanical calculations were carried out on the most stable structure for calculating the vibration frequencies and IR absorption intensities for normal coordinates of the cyclacene named mono ( $C_{56}H_{28}$ ) and Carbon nanotube named tetra ( $C_{140}H_{28}$ )– ring layer of (7,7) armchair single wall carbon nanotube (SWCNTs) at their equilibrium geometries which were all found to have D7d symmetry point group. Assignment of the modes of vibration (3N-6) was done depending on the pictures of their modes by applying (Gaussian 03) program. Comparison of the vibration frequencies which are active in IR spectra of the two molecules. , the results showed that C-H stretching vibration frequencies value increased with increased of length nano tube (rings layer SWCNT). The results include the relation for axial bonds, which are the vertical C-C bonds (annular bonds) in the rings and for circumferential bonds which are the outer ring bonds. Also include the assignment of puckering, breathing and clock-anticlockwise bending vibrations. They allow a comparative view of the charge density at the carbon atom .

*Key words:* SWCNT single wall carbon nano tube,  $\gamma$ : Out of plane of the molecule.  $\delta$ : In- plane of the molecule, G03 aprogram for calculation.

#### I. Introduction

Nanotechnologies are the engineered convergence of biology, chemistry, and informatics on a nanoscale that is, involving materials measured in billionths of a meter[1]. Graphite is a layered material that is very flexible, in which each layer is able to curve in order to form cages, nanotubes, nanocoils, nanocones, etc[1], Carbon nanotubes (CNTs) have become a paradigm in the physics of low-dimensional systems due to their fascinating properties [2]. Single wall carbon nanotubes (SWCNTs) are formed from sheets of annulated six membered aromatic rings [2]. The hybridization of each carbon atom in the sheet is sp2 (Fig. 1) [3]. They are of aromatic character, similar to graphite, and posse's conjugated C-C bonds [4]. Their aromaticity is graded according to the space distribution of the atoms, the nature of their molecular orbitals, their symmetry and chirality [5]. Various studies were done for the physical properties of the nanotubes [6-11]. The study of vibration of SWCNTs is for successful applications in nanotechnology. Specifically, some vibration modes of SWCNTs, e.g., radial breathing mode [12-15], beam-like bending mode, [16-17] and longitudinal mode [18], offers valuable probes for the molecular structures and the elastic properties of CNTs. On the other hand, CNTs consisting of straight concentric layers with circular cross-section could lose their structural symmetry due to the vibration in axial, circumferential and radial directions [19,20]. This could result in a sudden change in their physical properties (e.g., the electrical properties [21] and in turn, significantly affect their performance in nanostructures. Thus, similar to the buckling behaviour [22] the vibration of SWCNTs turns out to be a major topic of great interest in nanomechanics, considerable efforts [23] have been devoted to capturing the fundamental vibration behaviours of SWCNTs by using experimental techniques [12-13,17-18] and multi-scale modelling tools [14-15, 24-26]. Recently, the interest of the mechanics of SWCNTs has been transferred from their fundamental behaviours to the effect of internal and external factors on the elastic properties [27-29], buckling [30-33] of SWCNTs. However no comparison study could be found in the literature for a normal coordinate analysis of the simplest type of nanotube i.e. the Cyclacene and Carbon nanotube (mono and tetra) rings-layer SWCNTs [34,36], the use of vibration measurements to characterize nanotube mechanical properties.



Fig. 1. Schematic diagram showing how a hexagonal sheet of graphite is 'rolled' to form a carbon nanotube.



asym. (γCCC) (puck.)asym. CH str.sym. ring (C--C str.)Fig.2: Structure deformation of a SWCNT as caused by its vibration motion.

#### **II.** Methods of calculation

Both G03 program by PM3 method [37], and Mopac 2000 program by PM3 method, Computational Packages have been employed throughout this study to compute the geometrical Parameters (bond lengths and bond angles) and the energetic properties [38] were applied throughout the present work.

#### III. Results and Discussion.

To study the vibration motions of such molecules, one has to define its geometric parameters, and has to distinguish between the axial CC (C-Caxial) bonds and circumferential CC (C-Cc) bonds, (figure.3) shows the two types of bonds in an armchair SWCNT [39].



Fig. 3: Structure of armchair SWCNT, indicating the two types of C-C bonds; C-Caxial (C-Ca) and C-Ccircumferential (C-Cc).

Various quantum mechanical studies were done for the physical properties of the nanotubes [40-44]. Structure deformation is expected to change their thermal and electronic properties too. Basic vibrations of SWCNTs were measured and assigned as breathing, puckering and clock-anti-clockwise deformation modes [45-46]. The active vibrations causes a change in its geometry structure (figure. 2), The calculation gives different geometry were done to study the impact of the puckering distortion on the electronic properties of CNTs [47-49]. For a normal mode of vibration to be infrared active, there must be a change in the dipole moment of the molecule during the course of vibration. During the vibration motion of a molecule, a regular fluctuation in the dipole moment occurs, and a field is established which can interact with the electrical field associated with radiation. For the absorption of infrared radiation, a molecule must undergo a net change in its dipole moment as a result of its vibrational or rotational motions [50].



**Fig. 4**: Equilibrium geometry for (mono, and tetra)-rings layer for armchair (7,7) single wall carbon nanotube (SWCNT) by using Mopac2000 program.

Table 1, shows a repetitive sections of bonds. Table 2 shows comparison of their calculated geometric parameters.

The classifications of carbon nanotubes armchair (mono and tetra)-rings layer, determined by the different of the numbers of rings and the length of CNT, can also be described as single-walled nanotubes (SWNT), resembling by rolling a graphene sheet into a cylinder mathematically structures are uniquely defined by specifying the coordinates of the smallest folding vector (n,n), (armchair) molecule is composed of annulated number of member aromatic rings molecules. The (mono and tetra)-rings layer SWCNTs are composed of annulated six member aromatic rings. Their (PM3) calculated equilibrium geometry shows  $D_7d$  symmetry [24-25], Figure 5.Due to their symmetry ( $D_{7d}$ ) [51], figure 5 and table 1, shows a repetitive sections of bonds. Table 2 shows comparison of their calculated geometric parameters.



Fig.(5): Repetitive sections of bonds and angles for (mono and tetra) rings layer of armchair SWCNT at their equilibrium geometries according to their point group  $(D_{7d})$ .

Arm Chair	Diameter (Å)	CNT Length (Å)	Bond length (Å)						
(SWCNT)			=CCa	—ССа	CCa	C=Cc	CCc	C—Cc	С—Н
Mono-ring layer D <sub>7d</sub>	10.049	5.526	1.4302		1.4005	1.3604	1.4351		1.0997
Tetra-rings layer D <sub>7d</sub>	10.041	12.901	1.4246		1.4031 1.4346 1.4301 1.4044	1.3670	1.4276 1.4292 1.3974 1.4395		1.0996

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Table 1: PM3 calculate	d bond distances of (mon	o and tetra) rings laver for	ArmChair SWCNT.

C-Cc: circumferential bond C-Ca: axial bond.

Noting that the C-Ca bonds in the angular SWCNTs are conjugated double bonds for all of different rings layer, but it may be connect to (CC double or single or conjugated double bond). The C-Cc bonds are double or conjugated double bond for (mono and tetra)-rings layer SWCNT, and double or conjugated double bond or single bond for tetra-rings layer SWCNT.

The C=Cc bond increase with increasing numbers of rings layer. For odd rings layer mono (C-H) and (C---Cc) bonds are longer in mono from that in tetra .

Also note that (...Ca), increase in length from outer to centre in mono rings layer, and decrease in length from outer to centre in tetra-rings layer. Figure 4, table 1.

Table 2 shows some physical properties of calculated (mono and tetra)-rings layer for armchair SWCNT at their equilibrium geometry.

# Table 2: Some physical properties of the calculated (mono and tetra) rings layer for armchair SWCNT at their equilibrium geometry .

Arm Chair (SWCNT)	M. Wt. g/ mol	$\Delta H_f$ kcal/mol,(kJ)	μ (debye)	HOMO (eV)	LUMO (eV)	ΔE (eV) LUMO-HOMO
Mono-ring layer C <sub>56</sub> H <sub>28</sub>	700.837	300.346 1256.648	0.000	-8.054	-1.213	6.841
Tetra- rings layer C <sub>140</sub> H <sub>28</sub>	1709.761	721.486 3018.699	0.000	-7.403	-2.437	4.066

 $\Delta H_{f}$  = Heat of formation, HOMO= Highest Occupied molecular orbital,

LUMO= Lowest Unoccupied molecular orbital,  $\Delta E$ = The difference in energy levles.

 $\Delta H_{f}$ , increase with increasing number of rings layer,  $\Delta E$  (LUMO-HOMO) decrease with increasing number of rings layer that prove their electrical conductivity increased with increasing number of rings layer. Dipole moment  $\mu$  is zero for all, because they all have center of inversion symmetry element. same relation noticed for vibrations modes (IR active).

#### Vibration frequencies assignment of Cyclacene( Mono-rings layer)(C<sub>56</sub>H<sub>28</sub>) armchair (SWCNT)

The Cyclacene (Mono-rings layer) SWCNT posses 246 fundamental vibrations (3N-6). Inspection of its irreducible representation, as defined by the symmetry ( $D_7d$ ) character table, results in the following modes of vibration;

 $\Gamma vibration = \Gamma total - (\Gamma rotation + \Gamma translation) = 3N - 6 = 246$ 

$$\label{eq:relation} \begin{split} \Gamma vibration = & 18E_3u + 18E_3g + 18E_2g + 18E_2u + 17E_1u + 17E_1g + 9A_1u + 8A_2g + 9A_1g + 8A_2u = 246 \end{split}$$

There are 42 vibration modes (IR active)  $(17E_1u, and 8A_2u)$ . Their assignments are as follows:

#### CH stretching vibration

These are 28 in number, the displacement vectors of which are located at the H atoms. Their frequency values range from  $(3005.2-3029.4 \text{ cm}^{-1})$  (IR active), Inspecting the values in table 3.

#### Ring (CCC) stretching vibration

Their displacement vectors are not located at definite C atoms as could be seen from the atomic displacement vectors. Their calculated vibration frequencies (IR active) as modes range from (1347.6-1809.5cm<sup>-1</sup>), Inspecting the values in table 3.

#### *In-plane CH bending vibration (δCH)*

There are as few as the C-H bonds. Their displacement vectors are mainly located at the corresponding H atoms. Their calculated vibration frequencies (IR active) as modes range from (237.5-1105,6 cm<sup>-1</sup>),. Inspecting the values in table 3.

#### In-plane (CCC) bending vibration ( $\delta$ CCC)

Their calculated vibration frequencies (IR active) as modes range from  $(326.4-1011.7 \text{ cm}^{-1})$ , Inspecting the values in table 3.

#### Out of plane CH bending vibration (*γCH*)

Their calculated vibration frequencies (IR active) as modes range from (572.8-1215.4 cm<sup>-1</sup>), Inspecting the values in table 3.

#### Out of plane ring bending vibrations (*γCCC*)

The modes include puckering deformations, as well as breathing vibrations of the whole ring. Their calculated vibration frequencies (IR-active) as modes range from (572.8-1215.4 cm<sup>-1</sup>), Inspecting the values in table 3.

EU	Symmetry & description	PM3 Freq. cm	Intensity km/mol
V <sub>237</sub>	CH str.	3029.383	28.714
<b>v</b> <sub>227</sub>	CH str.	3005.239	107.300
<b>V</b> <sub>215</sub>	C=C str	1809.491	15.036
V <sub>191</sub>	ring (CC <sub>str.</sub> )(elongation)	1625.087	0.0384
V <sub>187</sub>	CC str	1593.311	12.2663
<b>V</b> 179	C=C str	1526.865	17.4909
V <sub>153</sub>	γCH(wag.)	1197.14	16.559
V <sub>136</sub>	δCH(siccer.)	1105.650	0.4390
V <sub>125</sub>	δCH(rock ) )+δring (δCCC)	1011.752	0.2571
V <sub>103</sub>	γCH (wagg. )+ γring (γCCC)	890.496	18.575
<b>V</b> 94	γCH (wagg. )+ γring (γCCC)	852.991	93.477
<b>v</b> <sub>86</sub>	δCH(rock )	812.674	137.946
<b>V</b> 74	γCH (wagg )+ γring (γCCC)	702.001	1.791
V <sub>60</sub>	γCH (wagg)+ γring (γCCC)	572.863	13.074
V <sub>34</sub>	δCH( rock)	388.437	15.734
V <sub>28</sub>	δCH(rock)+δring (δCCC)	326.432	11.190
<b>v</b> <sub>21</sub>	δCH(rock)	237.476	10.236
A <sub>2</sub> u			
<b>v</b> <sub>231</sub>	CH str.	3010.232	358.860
<b>v</b> <sub>191</sub>	C=C str	1695.497	8.1662
V <sub>165</sub>	C=C str	1347.570	7.2816
<b>v</b> <sub>156</sub>	γCH (wagg)+ γring (γCCC)	1215.372	48.906
<b>v</b> <sub>132</sub>	δCH(siccer.)	1077.490	0.6641
<b>v</b> <sub>88</sub>	δCH(rock ) )+δring (δCCC)	814.134	0.590
<b>v</b> <sub>51</sub>	$\delta CH(rock)$ )+ $\delta ring(\delta CCC)$	516.299	7.919

Vibration frequencies assignment of Carbon nanotube( tetra-rings layer) ( $C_{140}H_{28}$ ) armchair SWCNT.

The Carbon nanotube (tetra-rings layer) posses 498 fundamental vibrations (3N-6). Inspection of its irreducible representation, as defined by the symmetry character table, results in the following modes of vibration;  $\Gamma$ vibration =  $\Gamma_{total}$  - ( $\Gamma$ rotation +  $\Gamma$ translation) = 3N - 6 = 498

 $\Gamma \text{vibration} = 36E_3 u + 36E_3 g + 36E_2 g + 36E_2 u + 35E_1 u + 35E_1 g + 18A_1 u + 17A_2 g + 18A_1 g + 17A_2 u$ 

= 498

These are 87 IR active  $(35E_1u, and 17A_2u)$ . Their assignments are as follow:

Relative to the  $\delta_h$  reflection the vibration modes are classified as symmetric and antisymmetric modes.

#### CH stretching vibration

These are 28 in number, the displacement vectors of which are located at the H atoms. Their calculated vibration frequencies (IR active) *as* modes range from (3004.3- 3029.0 cm<sup>-1</sup>), Inspecting the values in table 4. *Ring (CCC)* stratehing vibration

### Ring (CCC) stretching vibration

Their displacement vectors are not located at definite C atoms as could be seen from the atomic displacement vectors. Their calculated vibration frequencies (IR active) as modes range from (1409.13- 1796.6 cm<sup>-1</sup>), Inspecting the values in table 4.

#### In-plane CH bending vibration ( $\delta$ CH)

There are as few as the C-H bonds. Their displacement vectors are mainly located at the corresponding H atoms. Their calculated vibration frequencies (IR active) as modes range from (149.7-1067.7 cm<sup>-1</sup>), Inspecting the values in table 4.

#### In-plane (CCC) bending vibration ( $\delta$ CCC)

Their calculated vibration frequencies (IR active) as modes range from (149.7-1343.7 cm<sup>-1</sup>), Inspecting the values in table 4.

#### Out of plane CH bending vibration (*γCH*)

Their calculated vibration frequencies (IR active) as modes range from (270.1- 1288.6 cm<sup>-1</sup>), Inspecting the values in table 4.

#### Out of plane ring bending vibration (*γCCC*)

The modes include puckering deformations, as well as breathing vibrations of the whole ring. Their calculated vibration frequencies (IR active) as modes range from (256.3- 1363.9 cm<sup>-1</sup>), Inspecting the values in table 4.

Table 4, includes the calculated frequencies as calculated applying semi-empirical methods (PM3) by Gaussian03 program and IR absorption intensities of the vibration modes. Commonly known, the vibrations with (intensity= 0.0) are forbidden (IR inactive, Ramman active), those with (intensity $\neq$  0.0) are allowed (IR active, Ramman inactive).

EU	Symmetry & description		Intensity km/mol
V <sub>489</sub>	CH str.	3029.030	9.0755
V <sub>481</sub>	CH str.	3004.260	117.430
V <sub>461</sub>	C-C str	1796.560	4.349
V457	C=C str	1793.220	14.884
V435	C=C str	1722.350	2.539
V414	C=C str	1675.170	0.278
V403	C-C str	1643.150	1.444
V399	ring (CCCstr.)	1602.760	0.019
V369	ring (CCCstr.)	1556.180	0.460
V363	C-C str	1536.560	8.336
V352	ring (CCCstr.)	1498.850	17.800
V334	ring (CCCstr.)	1409.130	30.762
V <sub>321</sub>	δring (δCCC)	1343.710	0.280
V313	$\gamma$ CH(wagg.)+ $\gamma$ ring ( $\gamma$ CCC)	1288.640	6.322
V295	γCH(wagg.)	1152.630	5.583
V274	δCH(siccer.)	1067.710	1.066
V260	δCH(siccer.)	1004.260	0.076
V247	$\gamma$ yring ( $\gamma$ CCC)+ $\gamma$ CH	964.564	1.237
V241	$\gamma$ CH( twiss.)+ $\gamma$ ring ( $\gamma$ CCC)	945.735	0.012
V227	γCH( twiss.)+γring (γCCC)	896.600	5.130
V216	$\delta CH + \delta ring (\delta CCC)$	858.660	22.623
V194	δCH(rock)	812.820	125.337
V153	$\gamma$ CH( twiss.)+ $\gamma$ ring ( $\gamma$ CCC)	674.771	1.1662
V150	$\delta CH + \delta ring (\delta CCC)$	664.392	11.594
V143	$\delta$ CH(rock.)+ + $\delta$ ring ( $\delta$ CCC)	653.804	7.294
V124	vCH(wagg.)+ vring (vCCC)	602.856	3.092
V 99	$\gamma$ CH(twiss.)+ $\gamma$ ring ( $\gamma$ CCC)	492.552	22.087
<b>V</b> 95	γCH( twiss.)+ γring (γCCC)	481.314	1.576
V <sub>82</sub>	$\gamma$ CH( twiss.)+ $\gamma$ ring ( $\gamma$ CCC)	436.045	4.350
V <sub>61</sub>	γCH( twiss.)+ γring (γCCC)	357.166	2.910
V59	γCH( twiss.)+ γring (γCCC)	346.147	1.028
V44	$\gamma$ ring ( $\gamma$ CCC)+ $\gamma$ CH(wagg.)	284.641	0.935
V38	γCH(wagg.)+ γring (γCCC)	270.122	5.758
V13	$\delta CH(rock.) + \delta ring (\delta CCC)$	149.751	6.048
A <sub>2</sub> u			
V <sub>483</sub>	CH str.	3008.892	616.385
V442	C=C str	1765.630	14.298
V <sub>409</sub>	C=C str	1654.390	3.133
V <sub>387</sub>	ring (CCCstr.) elonga.	1600.180	4.349
V <sub>367</sub>	ring (CCCstr.) elonga.	1542.980	2.304
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**Table 4**: Vibration frequencies and IR absorption intensities of Carbon nanotube (tetra-rings layer) ( $C_{140}H_{28}$ )molecule as calculated applying G03 program.

V <sub>348</sub>	ring (CCCstr.)elonga.	1480.570	0.208
V <sub>329</sub>	γring (γCCC)	1363.960	100.904
<b>V</b> <sub>303</sub>	ring (CCCstr.)	1193.150	5.645
<b>v</b> <sub>284</sub>	γCH(twist.)	1114.750	20.534
<b>v</b> <sub>260</sub>	γCH(twist.)	1028.510	1.906
<b>v</b> <sub>188</sub>	δCH(rock)	801.216	4.297
<b>v</b> <sub>147</sub>	γring (γCCC)+ γCH(breath.)	660.794	0.366
<b>v</b> <sub>138</sub>	$\gamma$ ring ( $\gamma$ CCC)+ $\gamma$ CH(breath.)	642.957	2.882
<b>v</b> <sub>109</sub>	δCH(rock)+δring (δCCC)	518.928	10.4807
<b>v</b> <sub>67</sub>	δCH(rock.)+δring (δCCC)	376.334	1.735
<b>V</b> 35	γring (γCCC)(breath.)	256.287	0.431
<b>v</b> <sub>15</sub>	δCH(rock.)+δring (δCCC)	152.020	0.730

(Figure 5) shows the vibration pictures for some modes of the CNT (Armchair), as calculated applying semiempirical methods (PM3) by Gaussian 03 program.

#### The results and Relations

vCH<sub>str</sub>.(mono-rings layer) > v.CH<sub>str</sub>.(tetra-rings layer) vCC<sub>str</sub>.(mono-rings layer) > v CC<sub>str</sub>.(tetra-rings SWCNT) võring (tetra-rings layer) >võring (mono-rings layer) vγring(tetra-rings layer) > vγring(mono-rings layer) võCH(mono-rings layer) >võCH(tetra-rings layer) vγ CH(tetra-rings layer) >vγ CH(mono-rings layer) vCC<sub>str</sub>.(mono-rings layer) > v CC<sub>str</sub>.(tetra-rings) vCH<sub>str</sub>.(di-rings layer) ≈ vCH<sub>str</sub>.(tetra-rings layer) Finally, the calculated vibration frequencies (IR-active) sh

Finally, the calculated vibration frequencies (IR-active) show that vibration frequency values of (C-C stretching), ( $\gamma$ ring,  $\nu\delta$ ring.) vibrations frequency shows higher frequency values with increased numbers of rings layer in length lead to many more electronic and mechanical applications.

 Table 5: Calculated Vibration frequencies of (mono and tetra) rings layer for armchair SWCNTs

 applying G03 program by PM3 method

apprying 005 program by 1 W5 method.							
Arm Chair (SWCNT)	C-H <sub>str.</sub>	C- Ca <sub>str</sub>	C=Cc <sub>str.</sub>	CCc <sub>str</sub>			
Mono-rings layer	3029.38	1625.08	1809.50	1593.30			
$C_{56}H_{28}$	Eu	Eu	Eu	Eu			
Tetra-rings layer	3029.11	1602.70	1793.22	1796.50			
$C_{140}H_{28}$	Eu	Eu	Eu	Eu			

Finally, the calculations show that, similar to the carbon nanotubes [52-53], the charge densities are mainly concentrated at the circumferential carbon and hydrogen atoms of mono and multi-rings layer SWCNT, parallel with their physical properties for electrical conductivity. The axial carbon atoms have diminishing charges from outer to centre. The H atoms are positively charged, the C atoms are of the negative charge, Fig. 6.



	СС	-0.002	
	СС	-0.001	

Fig. 6. Distribution of charge density at the atoms for (mono and tetra) rings layer of armchair SWCNT as calculated applying G03 program.

#### IV. Conclusion

Quantum mechanics calculations were carried out with Gaussian 03 program, for investigated the result In order to calculate the vibration frequencies modes that active in infrared. Comparison of the Vibration modes which were active in IR for the three molecules Cyclacene and Carbon nanotube( $C_{56}H_{28}$ ,  $C_{140}H_{28}$ ) Vibrational motion of atoms decreases the electrical conductivity of nanotubes and limits the performance of nanotransistors and other electronic devices based on them. Similarly, the stiffness of a nanotube and its capability for transporting heat is reduced with increasing defect density[54,55]. They allow a comparative view of the charge density at the carbon atom too. The calculations show that, the charge densities are mainly concentrated at the hydrogen atoms (positively charged) and at the outer circumferential carbon atoms (negatively charge). The axial carbon atoms and the circumferential carbon atoms have diminishing charges from outer to the centre of the CNTs. They can have metallic properties (armchair, some zigzag) depending on their structure. CNTs are much better conductors of electricity than copper nanowires because there is less scatter of electrons. Nanotubes are exceptional ballistic conductors, which can be used in a variety of nanodevices that can operateat room temperature. Nanotubes possess extraordinary mechanical properties and are among the strongest materials known.

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