

A Comparison of Hsu & Wang Model and Cost of Carry Model: The case of Stock Index Futures.

Manu K S¹, Dr. Sathya Narayana²

¹(Research Scholar, Department of MBA, University of Mysore, India)

²(HOD, Department of MBA, Maharaja Institute of Technology, Mysore, India)

Abstract : The study empirically tests and compares the pricing performance of two alternative futures pricing models; the standard Cost of Carry Model and Hsu & Wang Model (2004) for three futures indices of National Stock Exchange (NSE), India – CNX Nifty futures, Bank Nifty futures and CNX IT futures. It is found that, the Hsu & Wang Model with an argument of incomplete arbitrage mechanism and real capital markets are imperfect, provides much better pricing performance than the standard Cost of Carry Model for all the three futures markets. On the basis of Mean Absolute Pricing Error (MAPE), CNX Nifty Futures contract with highest trading history and trading volume is preferred, followed by Bank Nifty futures and CNX IT futures contract for both the pricing models. This result implies that Indian futures markets are imperfect and arbitrage process cannot complete. Degree of market imperfection might influence the pricing error. Therefore, investors should know the degree of market imperfection of the futures markets in which they would like to participate.

Key words: Degree of Market Imperfection, Futures Indices, Futures pricing models, pricing Performance

I. Introduction

Right from launch of Index futures and individual stock futures on June 12 2000 and November 2001 respectively, the futures market in India constantly growing on annual basis in terms of number of contracts traded and turnover. According survey conducted by World Federation of Exchanges (23, July 2013) on the performance of world stock exchanges during first half of 2013, National Stock Exchange of India has ranked No 4 for number of single stock futures contracts traded, No 8 for number of stock index futures contracts traded in first half of 2013. Thus, it is clearly indicating that more number of investors attracting and educating towards Indian futures markets. Pricing performance of stock index futures markets has triggered a substantial volume of research by finance academicians. A number of researchers have made an extensive effort to predict stock index futures price under various assumptions and economic conditions. Literature shows that many researchers used two important pricing models to determine future pricing performance – Standard Cost of Carry Model (CCM) and Hsu and Wang model (HWM) (2004).

The cost of carry model has been considered as the standard model for pricing stock index futures. The difference between index futures price and spot index futures will reflect the carrying cost. Cornell and French (1983a, b) used an arbitrage argument to develop a pricing model of stock index futures under the following assumptions:

- (a) Capital markets are perfect - No transaction costs and taxes and, no restrictions on short sales, and divisibility of securities.
- (b) No limits exist on borrowing or lending at the same risk-free rate.
- (c) The risk-free interest rate is known with certainty.

Many researchers [Andreou and Pierides (2008) examined Athens futures market, Phil Holmes (2002) studied on UK stocks and index futures market, Fung and Draper (1999) examined affect of mispricing of futures contracts using Cost of carry model. Similarly Gay & Jung, (1999), Brailsford and Cusack (1997) studied individual shares on Australian Stock Exchange, Wolfgang, Buhler & Alexander Kemp (1995) examined German market. Brenner, Subrahmanyam, Uno, Jun (1990), studied on Japanese Stocks and futures market] has been documented the existence of mispriced futures contract i.e. the spot price of futures was persistently below the theoretical value of futures estimated by the cost of carry model.

Hsu- Wang (2004) includes the factor of price expectation (Expected growth rate) and uses an argument of the incomplete arbitrage mechanism and developed a pricing model of stock index futures in imperfect markets (here after Hsu- Wang model). Hsu – Wang states that capital markets are imperfect. First, index arbitrage involves transaction costs, including commissions, bid-ask spread, and taxes. Second, there are constraints on short sales and securities are not perfectly divisible. Third, price changes in securities and constant and continuous dividends cannot be expected always. Fourth, it's not always possible to purchase and sale exact number of the underlying index simultaneously. Fifth, there is a limitation on borrowing or lending at the same risk-free rate. Finally, traders may have asymmetric information. Further Hsu - Wang (2004) argues that in perfect markets if actual futures price deviates from its theoretical value predicted by the cost of carry model, then the arbitrageurs can form a riskless arbitrage profit making no investment. Under the assumption of

perfect markets, Suppose if any deviation of actual futures price from its theoretical ‘Fair Price’ estimated by CCM then this deviation will be adjusted back to equilibrium simultaneously and risk less profitable arbitrage opportunity will be eliminated. Thus arbitrage mechanism completes. However literature found that real capital markets are imperfect and arbitrage mechanism not possible to complete and thus, arbitrage process will expose to a very large risk in imperfect markets.

The number of previous studies, Gay and Jung (1999), Brenner, Subrahmanyam and Uno, (1990), Garry J. Twite (1998) and Panayiotis C. Andreou and Yiannos A. Pierides (2008) support Hsu-Wang arguments and found real capital markets are imperfect.

Additionally Hsu- Wang states that CCM model cannot reasonably explain the negative basis (Difference between actual futures price and the underlying value). According to CCM the basis should reflect the carrying cost and this carrying cost must be positive (Actual futures price > Spot price). Unless the dividend yield is higher than risk free interest cost this seldom occurs. Further the author’s states that Hsu – Wang (1999) examined Taiwan stock index futures during Asian crisis (1998-1999) and observed that a significant relationship appears to exist between investors bear market expectation and negative basis i.e Investors considers that the expected growth rate of stock is negative or a negative basis will not occur. From these Hsu-Wang claims that Price expectation is one of the important factors in determining stock index futures prices. Finally, Hsu and Wang (2004) developed a futures pricing model for stock index futures in imperfect markets by incorporating the factor of price expectation (Expected growth rate) with an argument of incompleteness of arbitrage mechanism.

Many previous studies [Bailey (1989), Hemler and Longstaff (1991), T.J. Brailsford and A.K Cusack (1997), Gay & Jung (1999), Janchung Wang & Hsinan Hsu (2005), Janchung Wang & Hsinan Hsu (2006 a), Janchung Wang & Hsinan Hsu (2006 b), Janchung Wang (2007), Janchung Wang (2009)] compared the Cost of Carry model with other pricing models . Motivated by the above considerations the present study compares pricing performance of Hsu and Wang model (HWM) with standard Cost of Carry Model (CCM).

1.1 Futures Indices: History and Institutional background

Table 1: Main specifications of CNX NIFTY, BANK NIFTY & CNX IT Futures contracts of NSE

Particulars	CNX NIFTY Futures	BANK NIFTY Futures	CNX IT Futures
Opening Date	June 12, 2000.	June 2005	August 2003
Underlying Index	CNX NIFTY	BANK NIFTY	CNX IT
Contract Size	The value of the futures contracts on Nifty may not be less than Rs. 2 lakhs at the time of introduction. Lot Size- 50	The value of the futures contracts on BANK Nifty may not be less than Rs. 2 lakhs at the time of introduction. Lot Size- 25	The value of the futures contracts on CNX IT may not be less than Rs. 2 lakhs at the time of introduction. Lot Size- 25
Contract Months	The near month (one), the next month (two) and the far month (three). at any point in time, there will be 3 contracts available for trading in the market	The near month (one), the next month (two) and the far month (three). at any point in time, there will be 3 contracts available for trading in the market	The near month (one), the next month (two) and the far month (three). at any point in time, there will be 3 contracts available for trading in the market
Minimum price change	0.05	0.05	0.05
Price limits	+/- 10% LTP	+/- 10% LTP	+/- 10% LTP
Last trading Day	Last Thursday of delivery month	Last Thursday of delivery month	Last Thursday of delivery month
Settlement	Cash	cash	Cash

Source: Retrieved & Adapted from <http://www.nseindia.com>

Table 2: Descriptive Statistics of daily trading Volume and frequency of negative basis of futures indices

Contract	Descriptive Statistics of daily Volume				Negative Basis	
	N	Mean	Max	Min	Number of Negative Basis	Number of Negative Basis (%)
CNX Nifty Futures	1741	442492.60	1338598	1935	550	31.59
Bank Nifty Futures	1741	52007.03	256601	7	599	34.40
CNXIT Futures	1741	305.26	3037	1	640	36.76

Source: Collected and Compiled by the Authors

NSE is India’s leading Stock Exchange incorporated in the year 1992. Index value calculates based on Free Float market capitalization Method (After 2008). Currently about 1500 securities listed on NSE. Table 1 and 2 lists the main features of the three futures contracts. Currently there are 10 futures indices trading in NSE. Only three indices (S&P CNS Nifty futures, CNXIT futures & CNX Bank futures) have selected for the study. Indices selected based on number of years their trading in NSE. The CNX Nifty Index futures contract are based on popular underlying index and market bench mark CNX Nifty Index, constitutes 50 major stocks and began trading on NSE on 12 June 2000. Average daily trading volume during the period of the study was 442492 contracts. The importance of CNX Nifty Index cannot be under rated as it constitutes 66.85% of free float market capitalization of NSE. This data is collated as on June 30, 2014. The CNXIT Index futures contract are

based on the underlying index of CNXIT Index, constitutes 20 major stocks from IT sector which trade on the National Stock Exchange and began trading on August 2003. Average daily trading volume during the period of the study was 305 contracts. Since CNX IT Index represents only the IT industry the overall representation to NSE is much lower than CNX Nifty. CNX IT index indicates 11.27% of the free float market capitalization of NSE and 97.25% of the free float market capitalization of the stocks constituting part of the IT sector as on June 30, 2014. The Bank Nifty Index futures contract based on the underlying index of CNX Bank Nifty Index constitutes 12 stocks from the banking sector which trade on the National Stock Exchange. As for the Bank Nifty index futures market the history is relatively short compared CNX Nifty Index futures. Began trading on June 2005 and Average daily trading volume during the period of the study was above 52007 contracts. Since CNX Bank Nifty index represents only the Bank industry, the overall representation to NSE is too much lower than CNX Nifty index. The CNX Bank Index represents about 15.55% of the free float market capitalization of the stocks listed on NSE and 89.90% of the free float market capitalization of the stocks constituting part of the Banking sector as on June 30, 2014.

Additionally as shown in the table 2, Nifty futures index having lowest frequency of negative basis (31.59%) during the sample period, followed by, bank nifty futures index having next lowest frequency of negative basis (34.40%) after Nifty futures and CNXIT futures index having highest frequency of negative basis (36.76%). NSE futures contracts have a maximum of 3-month trading cycle - one month (near), the two month (next) and the three month (far). A new futures contract is introduced on the immediate next trading day of the expiry of the near month contract. The new contract will be introduced for three month duration. This way, at any point in time, there will be 3 contracts available for trading in the market i.e., one near month, one second month and one far month duration respectively. All the three futures contracts mature on the last Thursday of every month. If the last Thursday of every month is happened to be a trading holiday, the contracts expire on immediate previous trading day. The futures contract is cash settle only.

1.2 Futures pricing Models

Two alternative futures pricing models are compared in the present study. i.) Cost of Carry Model (CCM) ii.) Hsu & Wang Model (HWM).

i.) Cost of Carry Model (CCM)

If dividend yield is non-stochastic, Cornell and French (1983) show that the index futures price can be estimated by

$$F_t = S_t e^{(r-q)(T-t)} \tag{1}$$

Where F_t is the theoretical futures price at time t for a contract that matures at a time T , S_t is the current stock price at time t ; r is the annualized risk free interest rate (Cost of financing); q is constant annual dividend yield, $T-t$ represents time to maturity.

ii.) Hsu & Wang Model (HWM).

Hsu & Wang (2004) incorporated price expectation parameter (u_0) and developed futures pricing model in imperfect markets.

This study uses the following assumptions to derive a pricing model of stock index futures in imperfect markets:

1. The underlying stock index pays a continuous constant dividend yield, q , during the life of the futures contract.
2. The instantaneous degree of market imperfection remains constant throughout the life of the futures contract.
3. The underlying stock index price, S , follows a geometric Wiener process, as follows:

Hsu & Wang model considered a hedged portfolio that comprises one unit of spot index and x units of futures index. The model assumes that initially cash outflow is not required for the futures contract. Then the rate of return of the hedged portfolio is illustrated by

$$\frac{dP}{P} = (w_f u_f + u) d_t + (w_f \sigma_f + \sigma) dZ \tag{2}$$

Where P is the hedged portfolio, $w_f = \frac{xF}{S}$, S represents the price of the underlying stock index, F denotes the price of the futures index, u & σ represents constant expected growth rate and constant volatility of the underlying stock index (S) respectively. u_f & σ_f denotes the instantaneous expected return on futures and instantaneous standard deviation of return on futures respectively and dZ is a geometric Wiener process.

Further, If $w_f = -\frac{\sigma}{\sigma_f}$ then $w_f \sigma_f + \sigma = 0$. u_f & u remain same but second part in equation 1 become zero. It indicates that, the hedged portfolio (P) can be expected certainly and hedged portfolio becomes riskless. However in order to keep this portfolio risk free, it's necessary to rebalance w_f continuously until expiration of the futures

contract. Figlewski (1989) found that, forming riskless portfolio hedge and continuously rebalancing hedged positions is only possible in perfect markets.

Because of incomplete arbitrage mechanism and arbitrage process is exposed to heavy risk, the hedged portfolio is not possible to riskless at any point of time.

Let u_p & σ_p represents the instantaneous expected rate of return of the hedged portfolio (P) & the coefficient of Wiener process dz in the equation 1 respectively. This can be obtained as follows.

$$w_f u_{f+} u = u_p \tag{3}$$

$$w_f \sigma_{f+} \sigma = \sigma_p \tag{4}$$

From equation 2 & 3 the result of partial differential equation can be obtained as follows

$$\frac{1}{2} \sigma^2 S^2 F_{ss} + u_a S F_s + F_t = 0 \tag{5}$$

Where u_a is the Hsu & Wang's price expectation parameter $u_a = [u_p - q] - (u - q) \frac{\sigma_p}{\sigma} / (1 - \frac{\sigma_p}{\sigma})$

The second order partial differential equation 4 along with the following futures index price terminal condition at expiry date (T), fully characterize the futures index price.

$$F(S, T) = S_t$$

Finally the solution of this PDE is given by

$$F(S, T) = S_t e^{u_a(T-t)} \tag{6}$$

Equation (6) is known as Hsu & Wang Futures pricing Model.

II. Data and Methodology

For the CNX Nifty futures, CNX IT futures and Bank Nifty futures contract, only near month (one month) contracts were considered for this study because the nearest maturity contracts have significant trading volume compares to next month (two months) & far month (three months) contracts. Daily closing prices were obtained from NSE for all the three futures indices for the period from 1 April 2007 to 31 March 2014. The 364-day government of India Treasury bill rates were used as proxy for risk free interest rates and obtained from RBI database. The annualized daily dividend yield obtained from NSE and has been used to estimate theoretical futures price from Cost of Carry model for all the three futures indices. Implied method is used to estimate price expectation parameter for Hsu & Wang model.

2.1 Hypothesis

H_0 = There is no significant difference in MAPE statistics generated from Cost of Carry Model and Hsu & Wang Model.

Independent t test is used to test whether the MAPE statistics generated from each model is significantly different.

2.2 Measuring the pricing performance for the two models

Following Hsu & Wang (2004), pricing performance between Cost of Carry Model (CCM) and Hsu & Wang Model (HWM) can be measured by Calculating the mean absolute error (MAE), the mean percentage error (MPE) and mean absolute percentage error (MAPE) are illustrated as follows.

$$\text{Pricing Error } (\epsilon) = AF_t - F_t \tag{7}$$

$$MAE = \frac{1}{N} \sum_{t=1}^N |AF_t - F_t| \tag{8}$$

$$MPE = \frac{1}{N} \sum_{t=1}^N \frac{AF_t - F_t}{AF_t} \times 100 \tag{9}$$

$$MAPE = \frac{1}{N} \sum_{t=1}^N \left| \frac{AF_t - F_t}{AF_t} \right| \times 100 \tag{10}$$

Where AF_t is the actual price of stock index futures at time t and F_t is the theoretical price of stock index futures at time t. Further, to compare the futures pricing error statistics between Hsu & Wang Model (HWM) and Cost of Carry Model (CCM).

2.3 Estimation of Price expectation parameter for Hsu & Wang model

Implied method: For Hsu & Wang Model in imperfect markets, only price expectation parameter (u_a) cannot be estimated directly. This parameter (u_a) can be estimated same as implied volatility in the Black-Scholes model using the actual futures prices. The spot index that pays constant dividend yield, the implied u_a time at t-1 can be obtained from eq (Hsu and Wang model)

$$u_{a,t-1} = \frac{1}{T-(t-1)} \ln \frac{F_{t-1}}{S_{t-1}} \tag{11}$$

III. Empirical Results

Table 3: Descriptive statistics of pricing Errors of both the models for all the three futures indices.

Futures Index	N	Absolute Error		Percentage error		Absolute Percentage error	
		Mean (%)	SD(%)	Mean (%)	SD (%)	Mean (%)	SD (%)
CNX NIFTY	1741	12.0680	11.7802	-0.1484	0.3441	0.2530	0.2765
	1740	7.92646	7.701437	0.0093	0.2262	0.1611	0.1589
BANK NIFTY	1741	23.77	24.0362	-0.1460	0.3605	0.2731	0.2768
	1740	15.8919	15.2893	0.0088	0.2505	0.1811	0.1733
CNX IT	1741	15.34	15.7949	-0.1620	0.3960	0.2896	0.3149
	1740	10.6948	11.4074	0.0075	0.3357	0.2032	0.2673

Source: Collected and Compiled by the Authors

Note: OP- Over Price, UP – Under Price; OP= -ve (Ft > AF), UP = +ve ; Ft < AF

Table 4: Results of statistical tests for difference in MAPE between the futures pricing models

Futures Index	Pricing Models	N	t- value	Sig (2- tailed)
CNX NIFTY	CCM vs HWM	1741 - 1740	59.839***	0.000
BANK NIFTY	CCM vs HWM	1741 - 1740	107.064***	0.000
CNX IT	CCM vs HWM	1741 - 1740	96.998***	0.000

Note. *** Significant at the 1 % Level.

3.1 Pricing performance of both the pricing models for all three futures indices

According to table 3, from the percentage error, CCM overprices all the three futures indices – Nifty futures, bank nifty futures and IT futures contract by an average of -0.1484%, -0.1460% and -0.1620% respectively. The largest overestimate of CCM is an average of -0.1620 % for IT futures index. Further, HWM under prices all the three futures indices Nifty futures, Bank nifty futures and IT futures index by an average of 0.0093%, 0.0088% & 0.0075% respectively. The MAPE of HWM 0.1611%, 0.1811%, & 0.2032% is the lowest compare to MAPE of CCM for the three futures indices- Nifty, Bank & IT futures index respectively. Overall, on the basis of mean percentage error (MPE) & MAPE, the best model preferred is HWM than CCM. This result supports Hsu & Wang (2006) and Janchung Wang (2009) for Taiwan Futures Exchange. Further the table 3 reports pricing performance statistics of two pricing models. The pricing performance of CNX Nifty futures contract is significantly better than that of Bank Nifty futures and CNX IT futures contract for both the pricing models. CNX Nifty futures contract with highest trading history and average trading volume has smallest pricing errors than Bank Nifty futures and CNX IT futures. Pricing performance statistics of two pricing models clearly indicates that the MAPE of both the pricing models is lowest for CNX Nifty futures index having highest average trading volume during the sample period (4, 42,492), followed by Bank nifty futures index having next highest average trading volume after Nifty futures index (52,007) and then highest MAPE for CNXIT futures index having the lowest average trading volume of only 306.

From table 4, Independent t test is used to test whether the MAPE statistics generated from each model is significantly different. It's clearly indicates that for all the three futures indices – CNX Nifty, Bank nifty and CNX IT futures index, the MAPE statistics generated from each model is statistically significant at 1 %. Thus, The Mean absolute Percentage Error (MAPE) generated from each model is statistically different.

Additionally as shown in the table 2 and 3, the MAPE of CCM is lowest for Nifty futures index having lowest frequency of negative basis (31.59%) during the sample period, followed by, bank nifty futures index having next lowest frequency of negative basis (34.40%) after nifty futures and then highest MAPE for CNXIT futures index having highest frequency of negative basis (36.76%). This result implies that frequency of negative basis might influence performance of CCM for all the three futures indices.

Figure 1: Percentage Errors Cost of Carry Model and Hsu & Wang Model for CNX Nifty Futures Index

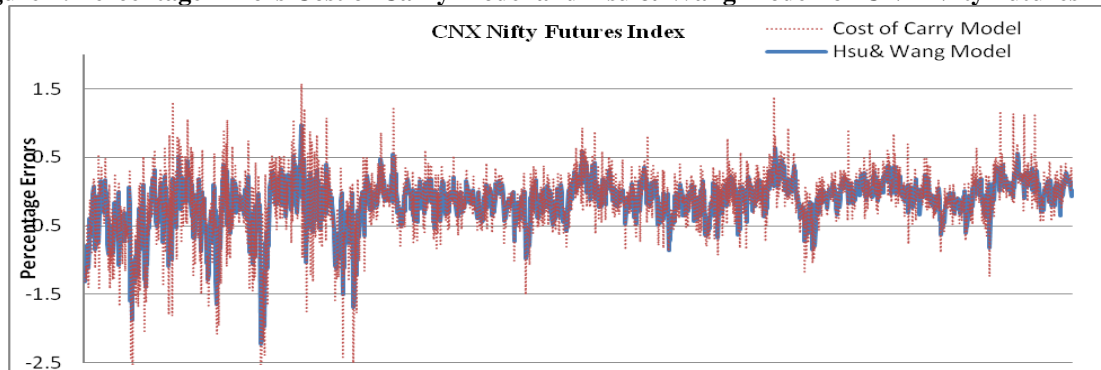


Figure 2: Percentage Errors Cost of Carry Model and Hsu & Wang Model for Bank Nifty Futures Index

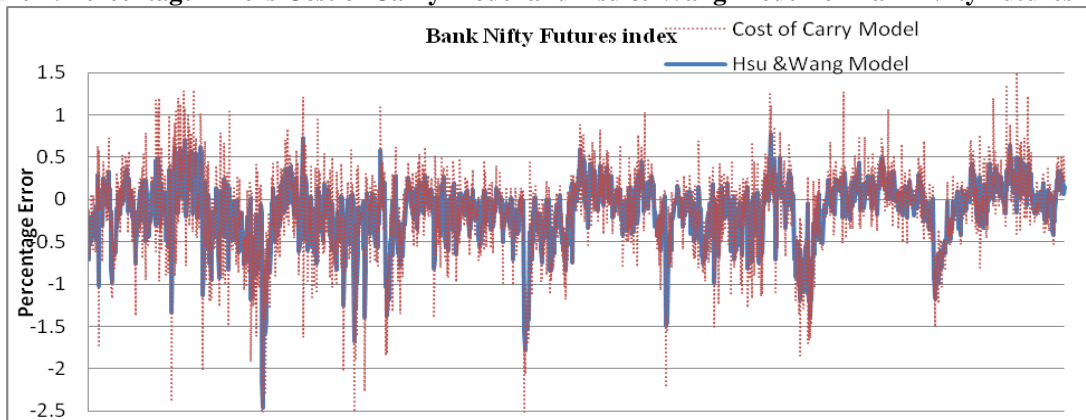
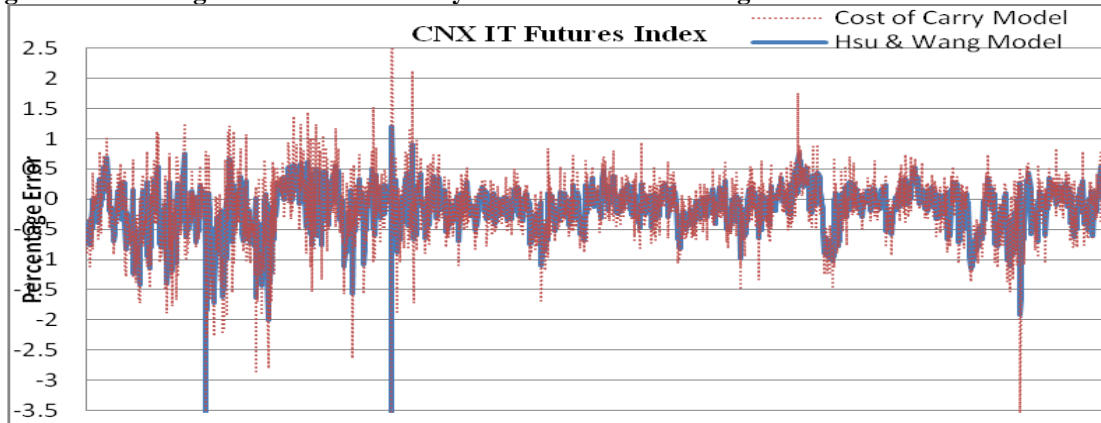


Figure 3: Percentage Errors Cost of Carry Model and Hsu & Wang Model for CNX IT Futures Index



Figures 1 to 3, plot the percentage errors Cost of Carry Model and Hsu & Wang Model for all the three futures indices. It clearly shows that Percentage errors of Cost of Carry Model much higher than Hsu & Wang Model for all the three futures Indices. Finally, from table 3 and figures 1 to 3, indicate that Cost of Carry model overprices and Hsu & Wang Model underprices all the three futures markets.

IV. Conclusion

The study pertains to predict index futures prices using two alternative pricing models – Cost of Carry Model and Hsu & Wang Model (2004) for three futures indices of National Stock Exchange (NSE), India – CNX Nifty futures, Bank Nifty futures and CNX IT futures. Overall the Hsu & Wang Model with an argument of incomplete arbitrage mechanism and real capital markets are imperfect, provides much better pricing performance than the standard Cost of Carry Model with an assumption of completion of arbitrage mechanism and capital markets are perfect for all the three futures markets. This result implies that Indian futures markets are imperfect and arbitrage process cannot complete. Degree of market imperfection might influence the pricing error. Therefore, investors should know the degree of market imperfection of the futures markets in which they

would like to participate. CNX Nifty futures contract with highest trading history and average trading volume has smallest pricing errors than Bank Nifty futures and CNX IT futures. CNX Nifty futures contract has lowest MAPE, followed by Bank Nifty and CNXIT futures contract for both the futures pricing models. It implies that trading volume influences pricing performance of the futures market. The study suggests further research of investigating degree of market imperfection derived by Hsu and Wang (2004) for Indian futures market and impact of degree of market imperfection on pricing performance of Indian futures markets.

References

- [1]. World Federation of Exchanges, Market Highlights (n.d) retrieved from, http://www.world-exchanges.org/files/2013_WFE_Market_Highlights.pdf
- [2]. Cornell, B., & KR French (1983a). The Pricing of Stock Index Futures. *The Journal of Futures Markets*, 3(1), 1–14.
- [3]. Cornell, B., & KR French (1983b). Taxes and the Pricing of Stock Index Futures. *The Journal of Finance*, 38(3), 675–694.
- [4]. Panayiotis C. Andreou & Yiannos A. Pierides (2008), Empirical investigation of stock index Futures Market Efficiency: the case of the Athens Derivatives Exchange; *The European Journal of Finance*, 14 (3), 211–223
- [5]. Darren Butterworth., & Phil Holmes (2002). Inter-market spread trading: evidence from UK index futures Markets, *Applied Financial Economics*, 783 – 790.
- [6]. Joseph K. W. Fung & Paul Draper (1999), Mispricing of Index Futures Contracts and Short Sales Constraints, *The journal of Futures Markets*, 695-715
- [7]. Gay, GD., & DY Jung (1999). A further look at transaction costs, short sale restrictions, and futures market Efficiency: The case of Korean stock index futures. *The Journal of Futures Markets*, 19(2), 153–174.
- [8]. Brailsford, T. J., & Cusack, A. J. (1997). A Comparison of Futures Pricing Models in a New Market: the Case of Individual stocks. *The Journal of Futures Markets*. 515-538
- [9]. Wolfgang Buhler & Alexander Kempf (1995), Dax Index Futures: Mispricing and Arbitrage in German Markets, *The Journal of Futures Markets*, 833-860
- [10]. Brenner, M., MG Subrahmanyam & J Uno (1990). Arbitrage Opportunities in the Japanese Stock And Futures Markets. *Financial Analysts Journal*, 46, 14–24.
- [11]. Hsinan Hsu., & Janchung Wang (2004) , Price Expectation and the Pricing of Stock Index Futures, *Review Of Quantitative Finance and Accounting*, 23: 167–184,
- [12]. Twite, Garry J (1998), The pricing of Australian index futures contracts with taxes and transaction costs, *Australian Journal of Management*, 23(1), 57- 81
- [13]. Hsu, H. and J.Wang, (1999) , The Pricing, Arbitrage, and Prediction of the SGX-DT MSCI Taiwan Stock Index Futures. *Journal of National Cheng Kung University*, 109–142
- [14]. Warren Bailey (1989) , The Market for Japanese Stock Index Futures: Some Preliminary Evidence, *The Journal of Futures Market*, 283- 295
- [15]. Michael L. Hemler. & Francis A. Longstaff (1991), General Equilibrium Stock Index Futures Prices: Theory And Empirical Evidence. *Journal of Financial and Quantitative Analysis*; 26 (3), 287 – 308
- [16]. Hsinan Hsu., & Janchung Wang (2006), Degree of market imperfection and the pricing of stock Index futures, *Applied Financial Economics*, 16, 245–258
- [17]. Hsinan Hsu., & Janchung Wang (2006) Price Expectation and the Pricing of Stock Index Futures: Evidence From Developed and Emerging Markets, *Review of Pacific Basin Financial Markets and Policies*; 9(4), 639–660
- [18]. Janchung Wang (2009), Stock Market Volatility and the Forecasting Performance of Stock Index Futures, *Journal of Forecasting* 28, 277–292
- [19]. Janchung Wang (2007), Testing the General Equilibrium Model of Stock Index Futures: Evidence from the Asian Crisis, *International Research Journal of Finance and Economics*, 107-116
- [20]. Janchung Wang (2009), Stock Market Volatility and the Forecasting Performance of Stock Index Futures, *Journal of Forecasting* 28, 277–292
- [21]. Bank Nifty F&O (n.d) Retrieved from http://www.nseindia.com/products/content/derivatives/equities/bank_nifty_fando.htm
- [22]. Derivative products (n.d) Retrieved from <http://www.nseindia.com/products/content/derivatives/equities/products.htm>
- [23]. Nifty 50 (n.d) Stock of the Nation Retrieved from http://www.nseindia.com/products/content/equities/indices/cnx_nifty.htm
- [24]. Sectoral Indices (n.d) Retrieved from http://www.nseindia.com/products/content/equities/indices/sectoral_indices.htm