# The Universe Collapses or Remains Inert If G Is Not Constant 

M. Sghiar.<br>The Universe Collapses or Remains Inert If G is not constant 9, allée Capitaine Jean Bernard Bossu, 21240, Talant, France


#### Abstract

The purpose of this article is to show that the universe either remains inert or collapses if $G$, the "gravitational constant", is not constant in space. And even if $G$ is constant in space but not a constant in time this can have an effect on the climate change of the earth and the universe can collapse.


Keywords: Gravitational constant, gravitation, theory of relativity, gravitation Law, climate change.

## I. Introduction

The gravitational constant (also known as the "universal gravitational constant", the "Newtonian constant of gravitation", or the "Cavendish gravitational constant"[5]), denoted by the letter $G$, is an empirical physical constant involved in the calculation of gravitational effects in Sir Isaac Newton's law of universal gravitation and in Albert Einstein's general theory of relativity.

The purpose of this article is to show that universe either remains inert or collapses if G, the "gravitational constant", is not constant in space. And even if $G$ is constant in space but not a constant in time, the universe can collapse.

The law of universal gravitation envisioned by Isaac Newton in 1687 is based on the force of gravitation which is "proportional to the product of the masses $m_{1}$ and $m_{2}$ of the two interacting bodies, and varies as the inverse square of the distance $r$ between the two bodies, and it's an attractive force." the force is given by :

$$
\begin{equation*}
F_{G}=G \frac{m_{1} m_{2}}{r^{2}} \tag{1}
\end{equation*}
$$

Where, $m_{1}$ is the first mass, $m_{2}$ the second mass, r is the distance between the two masses, the gravitational constant $G=6.67408 \times 10^{-11} \quad \mathrm{~m}^{3} . \mathrm{kg}^{-1}\left(N . \mathrm{m}^{2} / \mathrm{kg}^{2}\right)$ [5]

The Centripetal Force $F_{C}$, is a well tested and known force, it's a force that makes a body follow a curved path, its direction is always orthogonal to the motion of the body and towards the fixed point of the instantaneous center of curvature of the path [6].

$$
\begin{equation*}
F_{C}=\frac{m_{p} v_{0}^{2}}{r} \tag{2}
\end{equation*}
$$

Where, $m_{p}$ is mass of the planet, $v_{0}$ is the orbital velocity of the planet and r is the radial distance to the center of the sun.

In the article [1] Mahmoud E. yousif asked what is the mechanism that can produce an attractive force from merely the existence of two bodies in space ? Comparing both the gravitational and centripetal forces as a percentage as given in NASA data [2], he realized that both forces are not equal by $100 \%$, and it varies by up to $\pm 3 \%$ for some planets; hence he supposed both to be equal without giving proof, so for Mahmoud E. yousif [1]:

$$
\begin{equation*}
F_{G}=G \frac{m_{p} m_{s}}{r^{2}}=F_{C}=\frac{m_{p} v_{0}^{2}}{r} \tag{3}
\end{equation*}
$$

This is wrong in general but We will see that is true in the case where the planet $m_{p}$ is in a stationary orbit. So, from Eq (3), the Gravitation constant (G) is derived :

$$
\begin{equation*}
G=\frac{r v_{o}^{2}}{m_{s}} \tag{4}
\end{equation*}
$$

And :

$$
\begin{equation*}
F_{G}=\frac{m_{p} v_{0}^{2}}{r} \tag{5}
\end{equation*}
$$

But Mahmoud E. yousif [1] do not admit that G, the "constant of gravitation", is constant, he even doubt of the existence of the gravity and considers that it is only a simple representation of $F_{C}$. And as a result, we have these two anomalies :

## 1- First anomalie :

From the equation (5) if $v_{0}=0$, then $F_{G}=0$. Which is strange. Because when the speed of the planet is 0 , the planet is not attracted by the sun (The universe remains inert) !!!.

## 2- Second anomalie :

From the equation (5) if the speed $v_{o}$ of the planet is big the planet will be absorbed by the sun. (The universe will collapses ).

The purpose of this article is to show that the cause of this anomaly is the fact that $G$ was not considered constant in space.

If Mahmoud E. yousif [1] doubts on the existence of the gravitation force, and that other consider that the coriolis force is only a virtual force, here it is shown that these forces exist with the Centripetal Force [6] and that they are three different forces.

## II. The proof that universe either remains inert or collapses if $G$, the "gravitational constant", is not constant in space.

Lemma 1 : Let $F=-F_{G}-F_{C}+F_{c o}$ where $F_{c o}$ is the Coriolis force. $F$ is the resultant of the forces acting on $m_{p}$ and:

$$
\begin{equation*}
F=-G \frac{m_{p} m_{s}}{r^{2}}-\frac{m_{p} v_{0}^{2}}{r}+2 \frac{m_{p} v_{0}^{2}}{r} \tag{6}
\end{equation*}
$$

So :

$$
\begin{equation*}
F=-G \frac{m_{p} m_{s}}{r^{2}}+\frac{m_{p} v_{0}^{2}}{r} \tag{7}
\end{equation*}
$$

## Corollary 1 :

i- $F=0 \Leftrightarrow v_{0}=\sqrt{\frac{\sqrt{m}}{r}}$. In other words, in this case, a planet $m_{p}$ is in a stationary orbit .
ii- $F \geq 0 \Leftrightarrow v_{0} \geq \sqrt{\sqrt{m}_{s}}$. In this case, the planet will escape to the attraction of the planet $m_{s}$ and we avoid the second anomaly.
iii- $F \leq 0 \Leftrightarrow v_{0} \leq \sqrt{\frac{m_{s}}{r}}$. In this case, the planet $m_{p}$ will be absorbed by the planet $m_{s}$.
From the equations (2), (5) and (7)we deduce :

## Corollary 2 :

$F_{G}=F_{C} \Leftrightarrow F=0$. In other words, $F_{G}=F_{C}$ if and only if the planet $m_{p}$ is in a stationary orbit.
From the equation (4) we deduce :
Lemma 2 : $G=$ constant $\neq 0 \Leftrightarrow r v_{0}^{2}=$ constant $\neq 0$

And from the equation (5) we deduce :
Lemma 3: $G=$ constant $\neq 0 \Leftrightarrow F_{G}=\frac{m_{p} K}{r^{2}}(K$ constant $\neq 0)$
Lemma 4 : If $G=$ constant $\neq 0$, then $F_{G}=0 \Leftrightarrow r=\infty$ Which is completely normal, and we avoid the first anomaly.

## Corollary 3 :

i-By fixing $G=$ constant $\neq 0$, two planets will attract each other unless the distance between them is infinite and we avoid the first anomaly.
ii- By fixing $G=$ constant $\neq 0$, for every couple $m_{s}$ and $m_{p}$ of planets, $m_{p}$ animated with a speed $v_{0}$ there exists a distance R such that $m_{p}$ remains in a stationary orbit around $m_{s}$. And beyond R , the planet $m_{p}$ escapes the attraction. If not, $m_{p}$ will be swallowed by $m_{s}$.
iii- We avoid the second anomaly as soon as $v_{0} \geq \sqrt{\frac{m_{s}}{r}}$
iv- If $G=$ constant $\neq 0$, both anomalies are avoided. And this corresponds to what happens in our universe.
vi- We therefore conclude that G is constant in space : If $\mathrm{G}=\mathrm{G}(\mathrm{t}, \mathrm{x})$ where t is the time and x is a point in space, then G only depends on time.

## III. Theoretical proof that $\mathbf{G}$ is constant in space:

In my articles [4] and [5] G is constant: The idea was simple: as I considered that the gravitational force is due to a force f which comes from outside, then in a sphere of radius R around the particle of mass m , we must have $p(x) 4 \pi R^{2}=f$, where $p(x)$ is the pressure at point x of the sphere. This shows that the gravitational force is proportional to $m / R^{2}$ and explains why the gravitational force F between two bodies m and M is of the form: $F=G m M / R^{2}$ where G is a scalar which depends on the place where the force is exerted (the "vacuum" in our case). Which shows that the law of gravitation of Newton is not wrong contrary to what was said in [1] by Mahmoud E. Yousif.

## IV. Dependence of the gravitational constant with time and the climate change, resemblance to the law of the perfect gases, and the risk of the collapse of the universe.

As in III, $f$ may depend on time. In writing $p(x, t) 4 \pi r^{2}=m f(t)$, we have $\mathrm{p}(x, t)=\frac{m f(t)}{4 \pi r^{2}}$. And we deduce that in a small volume V around the point x , we have: $p(x, t) V=n f(t)$. where n is the quantity of matter in V .

If in a small interval of time we have: $f(t)=R t$, then we deduce that we have : $p(x, t) V=n R t$ : which resembles to the equation of perfect gases $P V=n R T$.
As $p(x, t)=G \frac{m M}{4 \pi r^{2}}$, then we deduce that $\mathrm{G}(x, t)=\frac{m g(t)}{4 \pi r^{2}}$, and that in a small volume V around the point x, we have: $G(x, t) V=n g(t)$. where n is the quantity of matter in V . G can therefore depend on t .
If in a small interval of time we have: $g(t)=S t$, then we deduce that we have : $G(x, t) V=n S t$ : which resembles to the equation of perfect gases $P V=n S T$
In this case $G$ increases with t , and the universe will eventually collapse. Similarly, we can see that at the moment $t=0, G(x, 0)=0$. In other words, the universe at time $t=0$ was inert, and can collapse in the future when t or G becomes big enough !
From the equation (4) we deduce that if $G=\frac{r v_{o}^{2}}{m_{s}}$ changes with time t , the product $r v_{0}^{2}$ changes and consequently the earth-sun distance changes or it is the velocity speed $v_{0}$ that changes. which will have an effect on climate change of the earth.

## V. Conclusion :

So we have proved theoretically and experimentally that the gravitational constant G is indeed constant in space because the universe either remains inert or collapses if $G$ is not constant in space. We have also seen that even if $G$ is constant in space but not a constant in time this can have an effect on the climate change of the earth and that the universe can collapse. Fortunately the G is at least almost constant in our universe and without a doubt, for this reason, the All-powerful said about gravitation: "Verily God holds the heavens and the earth in position lest they deviate; and if they deviated there will be none to hold them in place, apart from Him He is sagacious and forgiving. Quran, Fatir (41)".

## Acknowledgment

I want to thank everyone who contributed to the success of this article, in particular Professor Mahmoud E. Yousif for his article [1], for his correspondence and his discussions with me although our points of view on gravitation are differents.

## Reference :

[1]. Mahmoud E. Yousif "Newton"s Gravitation Law is Wrong!" IOSR Journal of Applied Physics (IOSR-JAP), vol. 10, no. 4, 2018, pp. 34-38.
[2]. NASA, Planetary Facts Sheet - Metric,https://nssdc.gsfc.nasa.gov/planetary/factsheet/
[3]. M. Sghiar. "La Gravité Quantique Et Les Deux Forces Qui Régissent Le Cosmos." IOSR Journal of Applied Physics (IOSR-JAP), vol. 9, no. 5, 2017, pp. 58-63
[4]. M. Sghiar. "Le Mystère De L'intrication Et De La Gravité Quantique Enfin Élucidé." IOSR Journal of Applied Physics (IOSR-JAP), vol. 9, no. 5, 2017, pp. 24-27
[5]. Wikipedia, Gravitational constant, the free encyclopedia, 2018. https://en.wikipedia.org/wiki/Gravitational_constant
[6]. Wikipedia, Centripetal Force, the free encyclopedia, 2018, https://en.wikipedia.org/wiki/Centripetal_force.
M. Sghiar." The Universe Collapses or Remains Inert If G Is Not Constant" IOSR Journal of Mathematics (IOSR-JM) 14.4 (2018) PP: 72-75.

