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# A New VLSI Architecture for Modified for Add-Multiply Operators using Modified Booth Recoding Technique

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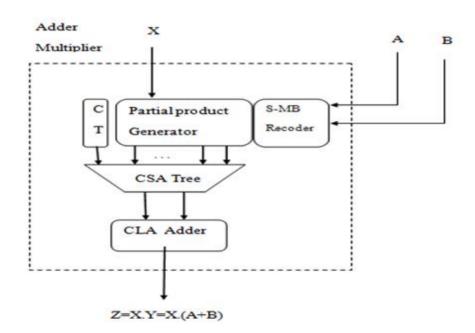
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Abstract: The modified algorithm has made multiplication easy. The algorithm consists of recoding table; it is used to minimize the partial products of the multiplier. We introduced an optimized design of add multiply operator which is based on a single data path. In this three different techniques are introduced (SMB1, SMB2, and SMB3) for the even and odd bit. Modified booth algorithm is mainly used to reduce the number of partial products. This design is used to achieve high performance and to improve the accuracy, reduction in power consumption and critical area. The recoding technique implementations and comparison has done with existing and designed modified booth recoder.

### I. Inroduction

The multipliers are used to perform the multiplication operation of the arithmetic circuit using shift and add operations. The area-efficient which is parallel to sign magnitude of two N-bit numbers produce N-bit product. The performance can be increased by sharing the data in the arithmetic Operations. The Multiply-Accumulator and Multiply-Add is used to increase the efficiency of processor in adder and multiplier. The DSP performance caused with more number of arithmetic operations which can be obtain in large architectures. This booth multiplier contains booth recoder which is used to recode the input of the multiplier. By using adder and multiplier we can reduce the critical path and delay of the circuit. The block diagram of the AM operator is shown in FIG: 1,

FIG:1 AM operator with sum of A and B operator in its MB representation.



**Table** 

	Binary		$Y_j^{MB}$		MB Encoding		
$\mathbf{Y}_{2j+1}$	$Y_{2j}$	$Y_{2j-1}$		Sign=s <sub>j</sub>	×1=one <sub>j</sub>	×2=two <sub>j</sub>	C <sub>in.j</sub>
0	0	0	0	0	0	0	0
0	0	1	+1	0	1	0	0
0	1	0	+1	0	1	0	0
0	1	1	+2	0	0	1	0
1	0	0	-2	1	0	1	1
1	0	1	-1	1	1	0	1
1	1	0	-1	1	1	0	1
1	1	1	0	1	0	0	0

Modified Booth Recoded Table

The modified booth form is used for multiplication and it is a redundant signed-bit of radix-4 encoding. It reduces half the number of partial product in multiplier. If we consider the two numbers X and Y contains n=2k bits and the multiplicand Y is represented in its modified booth form.

$$Y_{i}^{MB} = -2_{y2j+1} + y_{2j} + y_{2j-1}$$

Y<sub>j</sub><sup>MB</sup> =  $-2_{y2j+1} + y_{2j} + y_{2j-1}$ Y<sub>j</sub><sup>MB</sup>  $\sum \{-2,-1,0,+1,+2\}$ ,  $0 \le j \le k-1$ , it gives the three consecutive bits Y<sub>2j+1</sub>, Y<sub>2j</sub> and Y<sub>2j-1</sub> considering Y<sub>-1</sub> =0 with one bit overlapped the MB encoding table is shown in Table1. Three bits are represented in each digit as s, one, and two. If the digit s is

Negative (s=1) or positive (s=0). The sign shows the exact value of the digit is 1 (one=1) or not (one=0), sign 2 shows the exact value is 2(two=1) or not (two=0). By considering these bits we can Calculate the MB digits as  $Y_{j}^{MB}$ :  $Y_{j}^{MB} = (-1)^{S}_{j} [one_{j+} 2.two_{j}]$ 

$$Y_{i}^{MB} = (-1)_{i}^{S} \text{ [one }_{i+} 2.two_{i}$$

The Add multiply operator is to design the adder unit in a single data bath block. The three techniques that are introduced to implement the unit. The three techniques are separated with even and odd number of inputs.

#### A) S-Mb 1 Technique:

This technique is used to implement two full adders with even and odd bits. The number of even bits two Fas is used as FA, the conventional bit used as output FA\*.

$$FA^* = 2.c_0 - S = p - q + c_i$$

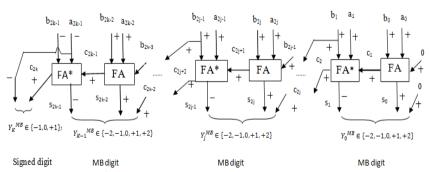


FIG 2: SMB1 Technique for Even Bit Width

For odd bit width the output value is  $FA^{**}$   $FA^{**} = -2$ .  $C_0 + S = -p - q + c_1$ 

1:

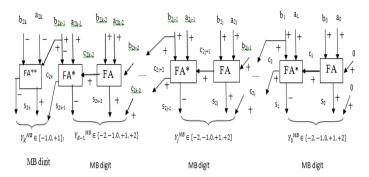


FIG 3: SMB 1 Technique for Odd Bit Width

## A) SMB 2 Technique:

This technique is used for bit width and a conventional full adder is used with two half adders output value as  $HA^*$ .

$$HA^* = -2. C + S = -p-q$$

For odd bit width the full adders FA\* is used at the end.

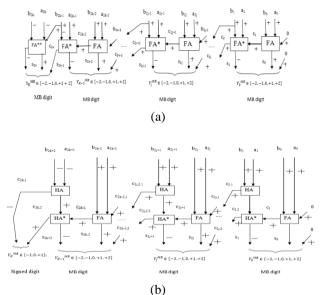
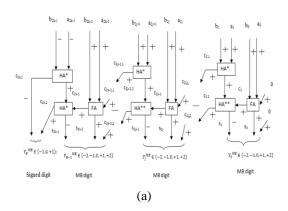


FIG 4: SMB 2 Technique for (a)Even (b)Odd Number of bits.

#### B) SMB 3 Technique:

In this technique even bit width input numbers and a conventional full adders with three half adders he half adders are conventional HA, HA\* and HA\*\*. The output value is

$$HA^{**} = 2.c - s = -p + q$$



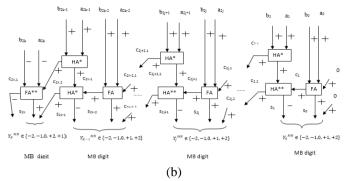
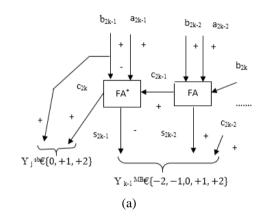


FIG 5: SMB 3 Technique for (a)Even (b)Odd Number of bits.

### 4) Unsigned Input Numbers:

In this the both inputs A and B are unsigned numbers with the most significant bits as signed numbers. This figure shows the even and odd bits with S-MB implementations.



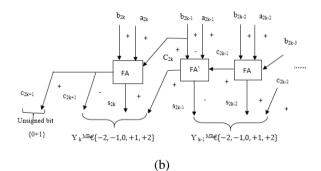
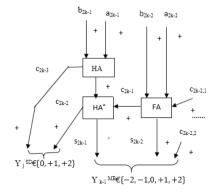
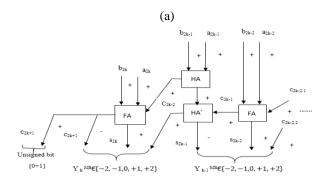
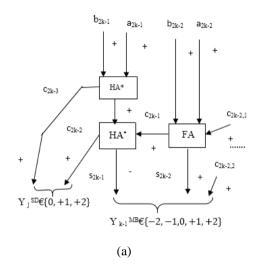


FIG 8: Unsigned input numbers of SMB 1 (a) Even (b) Odd





(b) **FIG 9:** unsigned input numbers for SMB 2 (a) Even (b) Odd



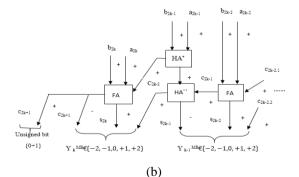


FIG 10: unsigned input numbers for SMB 3 (a) Even (b) Odd

The Sum modified booth recoder output is the sum of two numbers in its direct recoding. The gate level circuit is encoding signals generated by S  $_{j}$ , One  $_{j}$ , Two  $_{j}$  in (fig 6). The partial products are generated by encoded signal with input X. This algorithm consists of half adders and full adders and compressors. By using this ripple carry addition the final multiplication are added in last two rows.

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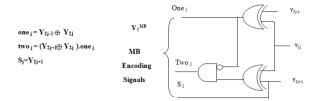


FIG 6: Gate Level Implementation for MB Encoding Signals

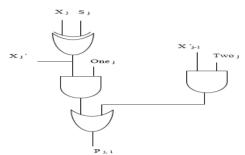


FIG 7: Booth Decoders

### II. Simulation Results

								978	3.400 ns
Name	Value	1	930 ns	940 ns	950 ns	960 ns	970 ns	l. i	980 ns
▶ ₹ y0[2:0]	2	0	4	4	(		2	Ď	6
▶ 🦷 y1[2:0]	6	- 6	1	5	0	3	6	D	3
▶ 🎇 y2[2:0]	1	0		3	2	4	1	D	0
y3[2:0]	2	- 6		2	2	0	x	2	
▶ ¾[1:0]	2	0	2	0	3	0	x	2	
▶ 👹 a[7:0]	203	17	158	5	229	2	203	D	151
▶ 👹 b[7:0]	130	171	196	85	106	229	130	D	176
	(a)								

								978.	520 ns
Name	Value	1	930 ns	940 ns	950 ns	960 ns	970 ns	, 19	80 ns
▶ ₩ y0[2:0]	2	0	4	4	X 6		2	ň	6
▶ ₩ y1[2:0]	6	- 6	1	5	0	3	6	ĽΧ	3
▶ ₹ y2[2:0]	1	0		3	2	4	1	ĽΧ	0
y3[2:0]	6	2		6		0	6	ĽΧ	2
▶ 📷 a[6:0]	75	17	30	5	101	2	75	ĽΧ	23
▶ 👹 b[6:0]	2	43	68	85	106	101	2	ΕX	48
		•		(h)					

(b) **FIG 11:** SMB 1 Technique for (a) Even (b) Odd

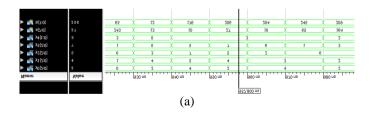
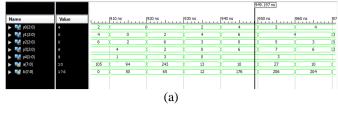


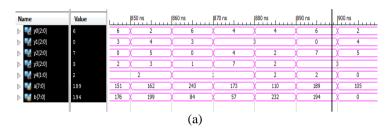


FIG 12: SMB 2 Technique for (a) Even (b) Odd



								886.50	I0 ns
Name	Value	1	840 ns	850 ns	860 ns	870 ns	880 ns		890 ns
▶ ₩ y0[2:0]	4	2	6	2	6		4		6
y1[2:0]	4	- 6		4		3	4		0
▶ ₹ y2[2:0]	3	2	1	5	1	4	3		0
y3[2:0]	6	- 6	2	0	6	3	6		0
▶ 🚮 a[6:0]	110	75	23	34	115	45	110		61
▶ 🚮 b[6:0]	104	2	48	71	84	57	104		66
	-			(b)					

FIG 13: Simulation Results for SMB 3 Technique (a) Even (b) Odd



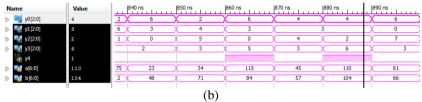
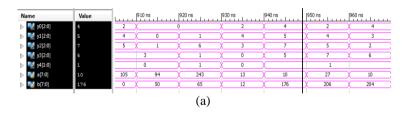


FIG 11: Simulation Results for unsigned input numbers SMB 1 (a) Even (b) Odd



Name	Value	1	910 ns	920 ns	930 ns	940 ns	950 ns	960 ns
> ▼6 y0[2:0]	4	2		)	2	4	2	4
▶ ¶ y1[2:0]	5	4	0	1	4	5	4	3
▶ ¥ y2[2:0]	7	5	1	6	3	7	5	2
▶ ▼ y3[2:0]	1		3	5	0	1	3	2
1 y4	0							
▶ ■ a[6:0]	10	105	94	115	13	10	27	10
b[6:0]	48	0	50	65	12	48	78	76
	II	E		(b)		I I		

FIG 12: Simulation Results for unsigned input numbers SMB 2 (a) Even (b) Odd

	Name		Value	1900 ns	910 ns	1920 ns	930 ns		940 ns	950 ns	960 ns
▶ № 4 y220 3 6 2 6 3 0 5 3   ▶ № 4 y320 0 4 2 0 6 7 6   ▶ № 3 y410 0 2 0 2 2   ▶ № 3 y740 13 10 27 10	▶ 🌃	y0[2:0]	2	2			2	Π	4	2	4
▶ ¼ y3(20) 0 4 2 0 6 7 6   ▶ ¼ y4(1:0) 0 2 0 2 0   ▶ ₺ 07(0) 18 105 94 243 13 10 27 10	▶ 86	y1[2:0]	4	4	0	2	4	D	6	4	
	▶ 🌃	y2[2:0]	3	6	2	6	3	D	0	5	3
▶ 🚮 a(7.0) 13 105 94 243 13 10 27 10	▶ 🌃	y3[2:0]	0	4		2	0	D	6	7	6
	▶ 🌃	y4[1:0]	0	1		2	0	D		2	
D	▶ 😽	a[7:0]	13	105	94	243	13	D	10	27	10
	<b>N</b>	b[7:0]	12	0	50	65	12	Ď	176	206	204
	_	)									

Name	Value	860 ns	870 ns	1880 ns	890 ns	900 ns		910 ns	920 ns
⊳ 🔣 y0[2:0]	2	6		4	6	2	$\supset$	0	
⊳ 🌃 y1[2:0]	4	4	3	4	0	4	D	0	2
⊳ 🌄 y2[2:0]	6	1	4	3	0	6	D	2	6
⊳ 🌄 y3[2:0]	4	6	3	6	X	4			6
<b>1</b> € y4	1								
⊳ 🚮 a[6:0]	105	115	45	110	61	105	D	94	115
⊳ 🚮 b[6:0]	0	84	57	104	66	0	D	50	65
	(b)								

FIG 13: Simulation Results for unsigned input numbers SMB 3 (a) Even (b) Odd

**Table 2:** Comparison of power

Techniques	Existing	Proposed
SMB 1 Even	0.139	0.82
SMB 1 Odd	0.112	0.88
SMB 2 Even	0.136	0.84
SMB 2 Odd	0.107	0.82
SMB 3 Even	0.108	0.83
SMB 3 Odd	0.872	0.83

#### III. Conclusion

This design is used to implement the sum of products in direct recoding and sum of two numbers in modified booth (MB) form. This paper tells about the lower frequencies with different timings in terms of area, power and time consumption. The proposed technique is done with reversible logic gates in which the area and power is reduced when compare to existing.

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