An Improved Cubic Lattice and Two Dimensional Lattice Structured Multi Agent Based PSO Approaches for Optimal Power Flows with Security Constraints Using Different Cost Functions

K.Ravi Kumar^{1,}, S.Anand^{2,}, M.Sydulu^{3,}

1&2. Department Of Eee, Vasavi College Of Engineering, Hyderabad, India 3. Department Of Electrical Engineering, Nit, Warangal, India

Abstract: This paper proposes new evolutionary multi agent based particle swarm optimization algorithms for solving optimal power flows with security constraints(line flows and bus voltages). These methods combines the multi agents in two dimensional and cubic lattice structures with particle swarm optimization (PSO) to form two new algorithms. In Cubic lattice structured multi agent based PSO(CLSMAPSO), an agent represents a particle in cubic lattice structure to PSO, and a candidate solution to the OPF problem. In Two dimensional lattice structured multi agent based PSO(TDLSMAPSO), an agent represents a particle in square lattice structure to PSO, and a candidate solution to the OPF problem. In Two dimensional lattice structured multi agent based PSO(TDLSMAPSO), an agent represents a particle in square lattice structure to PSO, and a candidate solution to the OPF problem. All agents live in a cubic and square lattice like environments, with agents fixed on a lattice point in the ascending order of their fitness value. In order to obtain the optimal solution, each agent in cubic and square lattice competes and cooperates with its neighbor and also a new operator called self learning operator was introduced in this paper. Making use of these agentagent interactions, CLSMAPSO and TDLSMAPSO realizes the purpose of minimizing the objective function value. In this paper, Variable constriction factor has been considered for TDLSMAPSO and CLSMAPSO. The OPF problem has been considered with quadratic cost function, piece wise linear quadratic cost function and quadratic cost function with sinusoidal terms were considered to realize Optimal Power Flow using CLSMAPSO and TDLSMAPSO applied to IEEE 30 bus system. Simulation results show that proposed approaches gives better solution than earlier reported approaches in very quick time.

Keywords: Multi agent systems, Particle swarm optimization, Optimal power flows.

I. Introduction

Optimal Power Flows was first introduced in the early 1960's by Carpentier¹. Nowadays, utilities are facing rapid increase in the Electricity demand with slow reinforcement projects due to financial and political issues. Proper operation and planning requires consideration of different factors such as reduction of cost of generation, losses, pollution, security of power system, and FACTS allocation etc.... In this regard Optimal power Flows (OPF) have been extensively used in planning and real time operation of power systems for active and Reactive power dispatch to minimize generation costs and system losses and to improve voltage profiles. The OPF generally meant to optimize set of objectives to meet set of constraints.

A wide variety of optimization techniques have been applied in solving the Optimal Power Flow problem such as non-linear programming, Quadratic Programming, Linear Programming, Newton based methods, Sequential unconstrained minimization technique, interior point methods, Genetic Algorithm, Evolutionary Programming. Heuristic algorithms such as Evolutionary programming and Genetic Algorithms (GA) which have been reported as showing promising results for further research in this direction.

Recently, a new evolutionary computation technique, called Multi agent based Particle Swarm Optimization (MAPSO)², has been proposed. Particle Swarm Optimization (PSO) is one of the evolutionary computation methods. In PSO, search for an optimal solution is conducted using a population or swarm of particles, each of which represents a candidate solution to the optimization problem. It was developed through the simulation of flock of birds to search for food in an optimal manner through the velocity and position up gradation of the paprticles. The PSO technique has been widely used for the optimization of various power system related problems. However, the major drawback with PSO is that, it may need several iterations and may get trapped in local optima. Therefore, several strategies have been introduced to overcome the limitations of PSO, such as modified PSO, and attractive and Repulsive PSO. These all were proved to be effective and probled for the development of MAPSO.

Agent based computation has been introduced recently by Wooldridge¹¹ and applied for various optimization problems. In this paper, Multi agent based lattice structure and PSO have been integrated to obtain optimal Power Flows. In TDLSMAPSO, each agent in square lattice structure represents a particle to PSO and a candidate solution to the optimization problem. In CLSMAPSO, each agent in cubic lattice structure represents a particle to PSO and a candidate solution to the optimization problem. All agents live in a cubic and square lattice structured environments, with each agent located on a lattice point. TO obtain optimal solution quickly,

competition and cooperation operators have been used with their neighbors, and they can also use their own knowledge. Another new operator called self learning operator was introduced to improve the convergence speed and accuracy. With the search mechanism of PSO and agent-agent interactions, TDLSMAPSO and CLSMAPSO can obtain global solution with faster convergence characteristics.

This paper is organized as follows: Problem formulation in section II.. Two dimensional and Cubic lattice structured Multi agent based PSO approaches with competition, cooperation and self learning operators in section III. Implementation of TDLSMAPSO and CLSMAPSO for OPF is discussed in section IV. The simulation results are discussed in section V. Finally, brief conclusions are deduced in section VI.

II. Problem Formulation Optimal Power Flow (Opf)

The OPF problem is a static constrained non-linear optimization problem, the solution of which identifies the optimal settings of control variables in a power system network satisfying various constraints. Hence, the problem is to solve a set of non-linear equations describing the optimal solution of power system. It is expressed as

 $\begin{array}{ll} \text{Min } F(x,u) & (1) \\ \text{Subject to } g(x,u) = 0 \\ h(x,u) \leq 0 \end{array}$

The objective function F is fuel cost of thermal generating units of the test system. g(x,u) is a set of non-linear equality constraints to represent power flow and h(x,u) is a set of non-linear inequality constraints(i.e., bus voltage limits, line MVA limits etc..). Vector x consists of dependent variables and u consists of control variables.

In most of the non-linear optimization problems, the constraints are considered by generalizing the objective function using penalty functions. In this OPF problem, slack bus power P_{G1} , bus voltages V_L and line flows I_j are constrained by adding them as penalty function terms to objective function. Hence, the problem can be generalized and written as follows.

$$F_{T}^{*} = F_{T+} \lambda \left[\sum_{i \in N_{L}} (I_{i} - I_{max})^{2} + (P_{G1} - P_{G1}^{lim})^{2} + \sum_{i \in N_{PQ}} (V_{i} - V_{i}^{lim})^{2} + \sum_{i \in N_{PV}} (Q_{Gi} - Q_{Gi}^{lim})^{2} + \sum_{i \in N_{line}} (loss_{i})^{2} \right]$$
(2)

Where λ , the penalty factor, is given as

$$\lambda = \frac{\sum c_i}{Number of generator buses}$$

 V_i^{lim} and P_{G1}^{lim} are defined as

$$V_{i}^{lim} = \begin{cases} V_{i}^{max} ; V_{i} > V_{i}^{max} \\ V_{i}^{min} ; V_{i} < V_{i}^{min} \end{cases} (3) P_{G1}^{lim} = \begin{cases} P_{G1}^{max} ; P_{G1} > P_{G1}^{max} \\ P_{G1}^{min} ; P_{G1} < P_{G1}^{min} \end{cases} (4)$$

1.1different Cost Functions:

1.1.1 OPF Problem With Smooth Cost Function:

The OPF problem is to find the optimal combination of power generations that minimizes the total generation cost while satisfying an equality constraint and inequality constraints. The most simplified cost function of each generator can be represented as a quadratic function as given in eq (5) whose solution can be obtained by the conventional mathematical methods

 $F_{\rm T} = \sum_{i \in NG} (a_i P_{Gi}^2 + b_i P_{Gi} + C_i)$ (5)

While minimizing the total generation cost, the total genera-tion should be equal to the total system demand plus the trans-mission network loss.

1.1.2 **Opf Problem With Nonsmooth Cost Functions**:

In reality, the objective function of an ED problem has non-differentiable points according to valvepoint effects and change of fuels; therefore, the objective function should be composed of a set of nonsmooth cost functions.

In this paper, two cases of nonsmooth cost functions are considered. One is the case with the valvepoint loading problem where the objective function is generally described as the superposition of sinusoidal functions and quadratic functions. The other is the case with the multiple fuel problem where the objective function is expressed as the piecewise quadratic cost functions. In both cases, the problems have multiple minima; therefore, the task of finding the global solution still remains to be tackled.

1.1.2.1 Nonsmooth cost function with valve-point effects:

The generator with multi-valve steam turbines has very different input-output curve compared with the smooth cost function. Typically, the valve point results in, as each steam valve starts to open, the ripples like in Fig. 1, To take account

For the valve-point effects, sinusoidal functions are added to the quadratic cost functions as follows:



$$FT = \sum_{i \in NG} \left((a_i P_{Gi}^2 + b_i P_{Gi} + C_i) + |e_i X \sin(f_i X (P_{imin} - P_i))| \right)$$
(6)

Where e_i and e_i are the coefficients of generator reflecting valve-point effects.

1.1.2.2 Nonsmooth Cost Functions With Multiple Fuels:

Generally, a piecewise quadratic function is used to represent the input-output curve of a generator with multiple fuels. The piecewise quadratic function is described as (7) and the cost and the incremental cost functions are illustrated in Fig. 2



Fig2. Nonsmooth cost functions curve with multiple fuels

$$F_{i}(P_{i}) = \begin{cases} \sum_{i \in NG} \left(\left(a_{i1} P_{Gi}^{2} + b_{i1} P_{Gi} + C_{i1} \right) if P_{imin} \leq P_{i} \leq P_{i1} \\ \sum_{i \in NG} \left(\left(a_{i2} P_{Gi}^{2} + b_{i2} P_{Gi} + C_{i2} \right) if P_{i1} \leq P_{i} \leq P_{i2} \\ \vdots \\ \sum_{i \in NG} \left(\left(a_{in} P_{Gi}^{2} + b_{in} P_{Gi} + C_{in} \right) if P_{in-1} \leq P_{i} \leq P_{imax} \end{cases}$$
(7)

Where a_{i1}, b_{i1} and c_{i1} are the cost coefficients of generator for the pth power level.

III.Two Dimensional And Cubic Lattice Structured Multi Agent Based Pso Approaches3.1PSO

The inherent rule adhered by the members of fishes and birds in the swarm, enables them to move, synchronize, without colliding, resulting in an amazing choreography which is the basic idea of PSO technique. PSO is a similar Evolutionary computation technique in which, a population of potential solutions to the problem under consideration, is used to probe in the search space. The main difference between the other Evolutionary Computation (EC) techniques and Swarm intelligence (SI) techniques is that the other EC techniques make use of genetic operators whereas SI techniques use the physical movements of the individuals in the swarm. PSO is developed through the bird flock simulation in two-dimensional space with their position, x and velocity, v.

The optimization of the objective function is done iteratively through the bird flocking mechanism. In every iteration, every agent knows its best so far, called ' P_{best} ', which gives the position and velocity information. This information is analogous to personal experience of each agent. Moreover, each agent knows the best value so far in the group, 'best' among all ' P_{best} ' particles. This information is analogous to the knowledge, as to how the other neighboring agents have performed. Each agent tries to modify its position by considering current positions, current velocities, the individual intelligence (P_{best}), and the group intelligence (G_{best}).

To ensure the best convergence to PSO, Eberhart and Shi indicate that use of constriction factor may be necessary. The modified velocity and position of each particle can be found as follows.

$$v_{d+1} = k_1 \times (\omega \times v_d) + k_2 (C_1 \times \text{rand} \times (P_{\text{best}} - X_d) + C_2 \times \text{rand} \times (G_{\text{best}} - X_d))$$
(8)
$$x_{d+1} = x_d + v_{d+1}$$
(9)

Where d indicates the generation, x_d is the current position of the particle in d_{th} generation, v_d is the velocity of the particle in the d_{th} generation, ω is the inertia weight, C_1 and C_2 are acceleration constants, and k_1 and k_2 are the constriction factors. The constriction factor is been updated by the following equations for PSO and CLSMAPSO respectively. By making use of this updating, variable constriction factor can be adapted so that the convergence can be achieved quickly.

$$k_1 = k_2 = \left(\frac{error}{lnitial \ error}\right)^{0.009} \text{ for PSO}$$
(10)

$$k_1 = k_2 = \left(\frac{error}{lnitial \ error}\right)^{0.95} \times 0.8 \text{ for TDLSMAPSO and CLSMAPSO}$$
(11)

Here, the values of k_1 and k_2 vary from iteration to iteration. The "Initial error" is the maximum deviation between the fitness values of the agents in the first iteration and "error" is the maximum deviation between the agents at n^{th} iteration. In case of normal PSO the position vector is updated only by velocity vector. In case of TDLSMAPSO and CLSMAPSO, the position vector is updated by both velocity and competition and cooperation operators. Hence k_1 and k_2 cannot be equal for both inertial and dynamic terms of velocity if we have to get CLSMAPSO converged faster. The velocity of every agent must be updated in such a way that it decreases as the agent converges and increase as the agent diverges. The exponents and multipliers are selected randomly in the equations (10) and (11) as with these values the algorithm converges faster.

In PSO, the particle velocity is limited by some maximum value V_{max} . If V_{max} is too high, particles may fly past good solutions. If V_{max} is too small, particles may not cross local solutions. Normally V_{max} is taken as 10% - 20% of dynamic range and V_{min} is selected as - V_{max} .

$$V_{max} = \frac{(Max \ position \ limit - Min \ position \ limit)}{10}$$
(12)

3.2 Multi Agent Systems

According to Wooldridge, an agent is a physical or virtual entity that has the following properties.

- i. It lives in and acts in the environment.
- ii. It senses its local environment through its interaction with the other agents.
- iii. It will attempt to achieve some goals and execute certain tasks.
- iv. It will respond to the environment through the self learning.

Multi agent systems are computation based systems in which several agents interact and work in coordination with one another to achieve some goals and perform certain tasks. In general, there are four things need to be defined when we are solving problems using multi agent systems.

- i. Meaning and purpose of the agent.
- ii. Environment where all agents live.
- iii. Definition of the local environment to know the local perceptivity.
- iv. Set of governing or behavioural rules for interaction between the agents.

3.3 Tdlsmapso

In TDLSMAPSO, multi agents are being arranged in a square lattice structure and is been integrated with PSO to form a new approach called as TDLSMAPSO. Each agent represents a particle to PSO and a candidate solution to OPF problem. Since all the agents live in square lattice structured environment as in Fig.1, each agent can interact with all the neighbors. Using the competition, cooperation and PSO operators, the global solution is achieved.

3.4 Clsmapso

In CLSMAPSO, multi agents are being arranged in a cubic lattice structure and is been integrated with PSO to form a new approach called as CLSMAPSO. Each agent represents a particle to PSO and a candidate solution to OPF problem. Since all the agents live in cubic lattice structured environment as in Fig.2, each agent can interact with all the neighbors. Using the competition, cooperation and PSO operators, the global solution is achieved.

The following are the essential before realizing the actual algorithms of TDLSMAPSO and CLSMAPSO Agent for OPF problem: 1.

In CLSMAPSO, each agent is a particle to PSO and a candidate solution to OPF problem. Therefore, every agent λ has a fitness value to the OPF problem. The fitness value is the value of generation cost, i.e., F_T . $F_{T}(\lambda) = \sum_{i \in NG} (a_i P_{Gi}^2 + b_i P_{Gi} + C_i)$ (13)

2. **Definition of an Environment:**

In TDLSMAPSO, all agents live in an environment which is of square lattice-like structure as in Fig. 1. In the environment L, each agent is placed on a lattice-point and each circle represents an agent. The size of L is $L_{size} \times L_{size}$ where L_{size} is an integer. In TDLSMAPSO, number of particles and L should be same.

In CLSMAPSO, all agents live in an environment which is of cubic lattice-like structure as in Fig. 2. In the environment L, each agent is placed on a lattice-point and each circle represents an agent. The size of L is $L_{size} \times L_{size} \times L_{size}$ where L_{size} is an integer. In CLSMAPSO, number of particles and L should be same.



Fig 2. Cubic Lattice structure of Multi agent system for PSO

3. Definition of the Local Environment:

Since each agent can only sense its neighbours, it is very important to define the local environment. In this paper, in TDLSMAPSO, an agent λ located at (i,j) can have 8 neighbours (including 4 sides and 4 corners) as it can be seen from the lattice and in CLSMAPSO, an agent λ located at (i,j) can have 26 neighbours (including 6 sides, 8 corners and 12 edges) as it can be seen from the lattice.

4. Behavioural Rules for agent:

In TDLSMAPSO and CLSMAPSO, every agent competes and cooperates among its neighbours and makes use of evolution mechanism and knowledge of PSO and hence it diffuses all its information to whole environment. Based on the behaviours, the competition and cooperation operator were designed and are as follows.

3.5 Competition and Cooperation operator

Suppose that competition and cooperation operator is performed on the agent λ located at (i,j) and $\lambda_{i,j}=(\lambda_1,\lambda_2,\dots,\lambda_n)$ and $\min_{i,j}=(m_1,m_2,\dots,m_n)$ is the agent with minimum fitness value among its neighbours, namely $\min_{i,j}$ Neighbours_{i,j}. If agent $\lambda_{i,j}$ satisfies the following equation it is a winner otherwise it is a loser.

$$f(\lambda_{i,j}) = f(Min_{i,j}) \tag{14}$$

If $\lambda_{i,j}$ is a winner, it can still live in the agent lattice. If $\lambda_{i,j}$ is aloser, it must die and its lattice-point will be occupied by New_{i,j}. The new agent New_{i,j} = ($\lambda'_1, \lambda'_2, \dots, \lambda'_n$) is determined by the following strategy

 $\dot{\lambda}_{k} = \begin{cases} x_{\min,k} & \text{if } (m_{k} + rand(0, 2.5^{*}(\text{error/initial}_{\text{error}})) \times (m_{k} - \lambda_{k})) \leq x_{\min,k} \\ x_{\max,k} & \text{if } (m_{k} + rand(0, 2.5^{*}(\text{error/initial}_{\text{error}})) \times (m_{k} - \lambda_{k})) \geq x_{\max,k} \\ (m_{k} + rand(0, 2.5^{*}(\text{error/initial}_{\text{error}})) \times (m_{k} - \lambda_{k})) & \text{otherwise} \\ k = 1, 2, \dots, n \end{cases}$ (15)

3.6 Self Learning Operarator:

In MAPSO, each agent acquires its knowledge by self learning in order to further improve its stability.references [9] and [] use small scale GA and small scale MAPSO respectively for self learning. This method also makes use of small scale MAPSO for learning its knowledge.

In self learning operator of agent $\lambda_{i,j}=(\lambda_1,\lambda_2,...,\lambda_n)$, first, a lattice like environment sL is created. The size sL for TDLSMAPSO is sL_{size} X sL_{size} where sL_{size} is an integer, sL for CLSMAPSO is sL_{size} X sL_{size} X sL_{size} and all agents $s\lambda_{i,j}, i, j=1,2,...,sL_{size}$ are generated according to

$$s\lambda_{i'j'} = \begin{cases} \lambda_{i'j'} & i'=1 \text{ and } j'=1\\ NeW_{i'j'} & otherwise \end{cases}$$
(16)

Where New_{i',j'} =($e_{i',j',1}$, $e_{i',j',2}$,...., $e_{i',j',n}$) is determined by the following equation (17).

Next, competition and cooperation operator with evolution mechanism of PSO is iteratively performed on sL. Finally, $\lambda_{i,j}$ is replaced with the agent having minimum fitness value found in self learning operator.

$$e_{i',j',k} = \begin{cases} x_{k,min} \text{ if } \lambda_k Xrand(1 - sR, 1 + sR) < x_{k,min} \\ x_{k,min} \text{ if } \lambda_k Xrand(1 - sR, 1 + sR) > x_{k,min} \\ \lambda_k Xrand(1 - sR, 1 + sR) \text{ otherwise} \\ k = 1,2,3...n \end{cases}$$
(17)

IV. Implementation Of Clsmapso For Opf Problem

In TDLSMAPSO and CLSMAPSO, mainly the operators were used to obtain the optimal solution in quick time with accuracy. Among them competition and cooperation operators along with PSO operators were used. The detailed algorithm of TDLSMAPSO and CLSMAPSO for OPF problem is as given below:

- 1. Input the parameters and specify lower and upper limits of variables. In OPF problem, P_{Gi} , i \Box NG except for slack bus are the variables.
- 2. Determine the fitness value of each agent i.e., Production cost, by Newton-Raphson power flow analysis results.
- 3. Sort the particles.
- 4. Create a lattice like environment L, and assign each agent (which is essentially a particle) on lattice point in the ascending order. Here each agent carries generation values of generators except slack bus power.

- 5. Increment the iteration counter
- 6. Carryout competition and cooperation operator on each agent and modify it.
- 7. Apply self learning operator
- 8. Apply PSO mechanism to each agent and adjust its position using velocity and position equations.
- 9. Determine the fitness value of each agent i.e., production cost, by Newton-Raphson power flow analysis results
- 10. Determine the best agent with minimum fitness value.
- 11. Sort the particles in ascending order.
- 12. Check for stopping condition (all the agents converge to a fitness value), if yes go to next step, else go to step (4).
- 13. Print the agent and its fitness value.

V. RESULTS AND DISCUSSION

To verify the MAPSO algorithms, two standard representative systems, i.e., IEEE 14 bus and IEEE 30 bus systems have been considered.

These algorithms were implemented in C programming language and executed on Intel Core 2 Duo system with 1GB RAM running on Linux.

Before the MAPSO is applied, some parameters valus need to be assigned. For TDLSMAPSO $L_{size}=sL_{size}=8$ and for CLSMAPSO $L_{size}=sL_{size}=4$ For all the algorithms c1=0.6, c2=0.4, r1=0.6, r2=0.4 and inertia, ω =0.8. The number of particles for CLSMAPSO, TDLSMAPSO and PSO is 64.



Fig 3. single line diagram of standard IEEE 30 bus system

In this paper, we have considered three different cost functions for testing the results of IEEE 30 bus system.

TABLE I

Generator Data With Quadratic Cost Functions Considered For Ieee 30 Bus System.

Bus No	$P_{G}^{min}\text{MW}$	P_G^{max} MW	$Q_{G}^{min}\text{MVAR}$	$Q_{G}^{\text{max}}\text{MVAR}$	a \$/hr	B \$/MWhr	c \$/MW²hr
1	50	200	-20	200	0	2.0	0.00375
2	20	80	-20	100	0	1.75	0.0175
5	15	50	-15	80	0	1.0	0.0625
8	10	35	-15	60	0	3.25	0.00834
11	10	30	-10	50	0	3.0	0.0250
13	12	40	-15	60	0	3.0	0.0250

Table II

Comparison Of Results With	n Pso, Tdlsmapso And	d Clsmapso For	Obtaining Op	timal Fuel Cost.

Algorithm	Number of	Error for	Processing time	Number of	Optimal cost
	particles	conve-	(sec)	itera-	achieved \$/hr
	_	rgence		tions	
PSO	64	0.0001	4.74	54	802.281129
TDLSMAPSO	64	0.0001	1.51	16	802.165476
CLSMAPSO	64	0.0001	1.19	12	802.012336



Fig 4. Showing the comparison plot of fuel cost Vs iterations for Basic PSO, TDLSMAPSO and CLSMAPSO.



Fig 5. showing the graph showing the Error vs. iterations for Basic PSO and CLSMAPSO.

TABLE III Generator Data With Quadratic Cost Functions Considered For Ieee 30 Bus System. Cost Coefficients Generat From То (MW) (MW) or А b с 1 50 140 55.0 0.70 0.0050 200 140 82.5 1.05 0.0075 2 20 55 40.0 0.30 0.0100

55 80 80.0 0.60 0.02

Comparison Of Results With Pso, Tdlsmapso And Clsmapso For Obtaining Optimal Fuel Cost By Considering Generator Data With Quadratic Cost Functions.

TABLE IV

Algorith	Numb	Error	Proces	Numbe	Optimal
m	er of	for	sing	r of	cost
	particl	conve-	time	itera-	achieved
	es	Rgence	(sec)	tions	\$/hr
PSO	64	0.0001	27.89	376	652.43485
TDLSM	64	0.0001	1.29	18	652.071003
APSO					
CLSMA	64	0.0001	1.21	13	649.023427
PSO					

TABLE V
Generator Data With Quadratic Cost Functions Considered For Ieee 30 Bus System.

Gen	P_{G}^{min}	P_{G}^{max}	А	В	с	D	e
1	50	200	150.0	2.0	0.0016	50.0	0.063
2	20	80	25.0	2.5	0.0010	40.0	0.098

TABLE VI

Comparison Of Results With Pso, Tdlsmapso And Clsmapso For Obtaining Optimal Fuel Cost By Considering Generator Data With Sine Component Cost Functions.

Algorithm	Num	Error for	Processin	Num	Optimal cost			
-	ber	conve-	g time	ber	achieved \$/hr			
	of	rgence	(sec)	of				
	parti	-		itera-				
	cles			tions				
PSO	64	0.0001	11.125	147	919.707134			
TDLSMAPSO	64	0.0001	0.99	13	919.624804			
CLSMAPSO	64	0.0001	0.88	10	917.08384			

Conclusion

VI.

Based on multi agent systems and improved version with self learning operator TDLSMAPSO and CLSMAPSO have been developed for solving Optimal power Flow problem (OPF) with security constraints. To the best of our knowledge, OPF problem has been solved by several methods in the literacy but these unique TDLSMAPSO and CLSMAPSO methods integrates the square and Cubic Lattice Structured multi agents respectively for TDLSMAPSO and CLSMAPSO with self learning operator along with PSO using variable constriction factor to find the global or near global optimum point for OPF problem. IEEE 30 bus with different cost functions has been tested with PSO, TDLSMAPSO and CLSMAPSO and CLSMAPSO. These algorithms are general and can be applied to other power system optimization problems.

REFERENCES

- [1] HERMANN W. DOMMEL, AND WILLIAM F. TINNEY, "optimal Power Flow Solutions"
- [2] Sivasubramani.S, Shanti Swarup K, Multiagent Based Particle Swarm Optimization Approach to Economic Dispatch With Security Constraints December27-29'2009, International Conference on Power systems, ,Kharagpur".
- [3] Bo Yang, Yuping ChenmZunlian Zhao and Qiye Han, "Solving Optimal Power Flow Problems with improved Particle Swarm Optimization", Proceedings of 6th world congress on Intelligent Control and Automation, June 21-23, 2006, Dalian, China.
- [4] J. Nanda, D.P. Kothari, and S.C. Srivastava, "New optimal power dispatch using fletcher's quadratic programming method," IEEE Proc C, pp. 153-161, 1989.
- [5] J. Nanda, and B.R. Narayanan, "Application of genetic algorithm to economic load dispatch with line flow constraints," Int Journal of Electric Power Energy Systems, pp. 723-729, 2002.
- [6] P. Somasundaram, and K. Kuppusamy, "Application of evolutionary programming to security constrained economic dispatch," Electric Power and Energy Systems, pp. 343-351, 2005.
- [7] J. Kennedy, and R. Eberhart, "Particle swarm optimization," Proc IEEE Int Conf Neural Networks, Aust, pp. 1942-1948, 1995.
- [8] R.C. Eberhart, and Y. Shi, "Comparing inertia weights and constriction factors in particle swarm optimization," Proc Congr Evolutionary Computation, pp. 84-88, 2000.
- [9] J. B. Park, K.S. Lee, J.R. Shin, and K.Y. Lee, "A particle swarm optimization for economic dispatch with nonsmooth cost functions," IEEE Trans on Power Systems, pp. 34-42, 2005.
- [10] K.S. Swarup, and P. Rohit Kumar, "A new evolutionary computation technique for economic dispatch with security constraints," Electric Power and Energy Systems, pp. 273-283, 2006.
- [11] M. Wooldridge, An introduction to multiagent system. New York: Wiley, 2002.
- [12] W. Zhong, J. Liu, M. Xue, and L. Jiao, "A multiagent genetic algorithm for global numerical optimization," IEEE Trans on Sys, Man and Cybernatics, pp. 1128-1141, 2004.
- [13] B. Zhao, C.X. Guo, and Y.J. Cao, "A multiagetn-based particle swarm optimzation approach for optimal reactive power dispatch," IEEE Trans on Power Systems, pp. 1070-1078, 2005.
- [14] Y. Wallach, Calculations and programs for power system networks. Englewood Cliffs, NJ: Prentice-Hall, 1986.
- [15] A. Wood. B. Woolenberg, power generation, operation and control, New York: Wiley, 1996.

Biographies

K.Ravi Kumar received his B.Tech and M.Tech degree in 1994 and 2005 respectively from JNTU college of Engineering, Hyderabad.Presently he is working as Associate Professor of Electrical and Electronics Engineering at Vasavi college of Engineering,Hyderabad,India. He is currently pursuing PhD degree in Power Systems at National Institute of Technology,Warangal,India. His fields of interest are Power system optimization,FACTS and Evolutionary Computation.

S.Anand received his B.Tech degree in 2009 from Vasavi College of Engineering, Hyderabad. Currently he is working as a software engineer at Intergraph consulting, Hyderabad. His fields of interest are Power system optimization, FACTS, Evolutionary Computation and Power Electronics.

Maheswarapu Sydulu received his B.Tech (Electrical Engineering, 1978), M.Tech (Power Systems, 1980), PhD (Electrical Engineering – Power Systems, 1993), all degrees from Regional Engineering College, Warangal, Andhra Pradesh, INDIA. His areas of interest include Real Time power system operation and control, ANN, fuzzy logic and Genetic Algorithm applications in Power Systems, Distribution system studies, Economic operation, Reactive power planning and management. Presently he is working as Professor in Electrical Engineering Department, Former Dean(Research and Consultancy) and Dean(Administration), National Institute of Technology, Warangal (formerly RECW).